



HELMHOLTZ  
ZENTRUM BERLIN  
für Materialien und Energie

```
#####   ###   ##   ##  
##   ##   ##   ##   ##   ##  
##   ##   ##   ##   ##   ##  
#####   ##   ##   ####  
##   ##   #####   ##  
##   ##   ##   ##   ##  
##   ##   ##   ##   ##
```

# The BESSY RAYTRACE PROGRAM to calculate (not only) SYNCHROTRON RADIATION BEAMLINES

Franz Schäfers  
(HZB-BESSY)



a program

## to calculate

# VUV/X-RAY OPTICAL ELEMENTS

and

# SYNCHROTRON RADIATION BEAMLINES

## 1. Introduction

## 2. Raytracing (text book geometry)

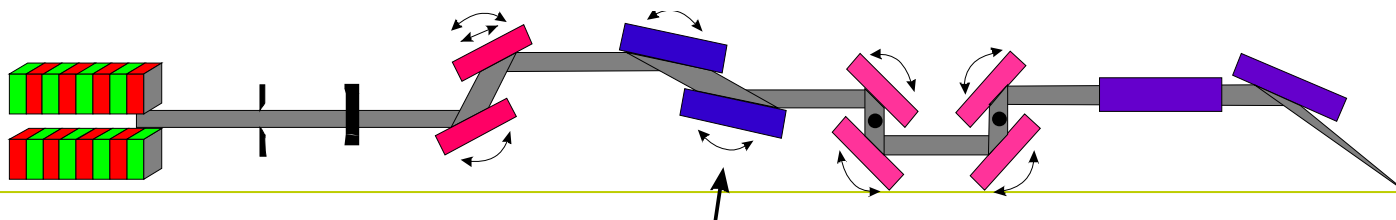
1. Statistics
2. Sources
3. Optical elements
4. Image Planes
5. Special optics (Gratings, Crystals)
6. Graded Multilayers
7. Zoneplates

## 3. Examples

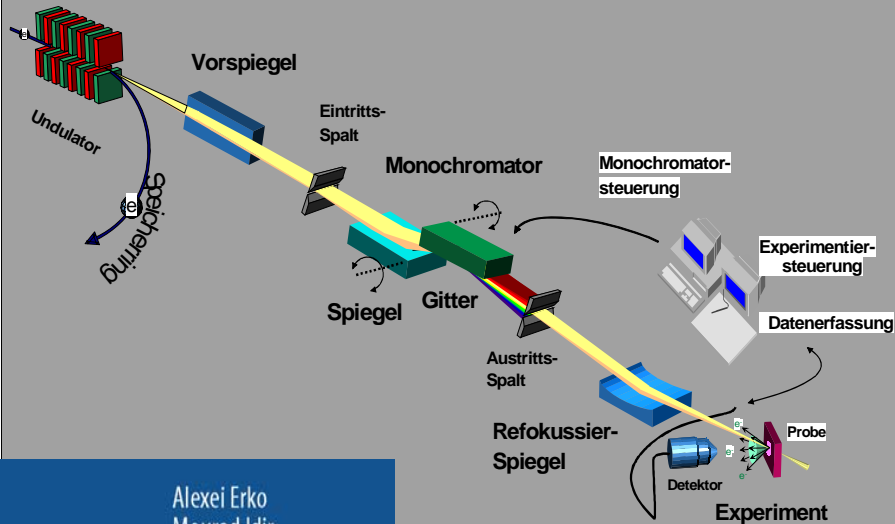
1. Beamline calculations
2. Diaboloids

## 4. Outlook

1. Wave phenomena: Interference, Wavefronts, Coherence
2. Conclusions / Acknowledge



# History

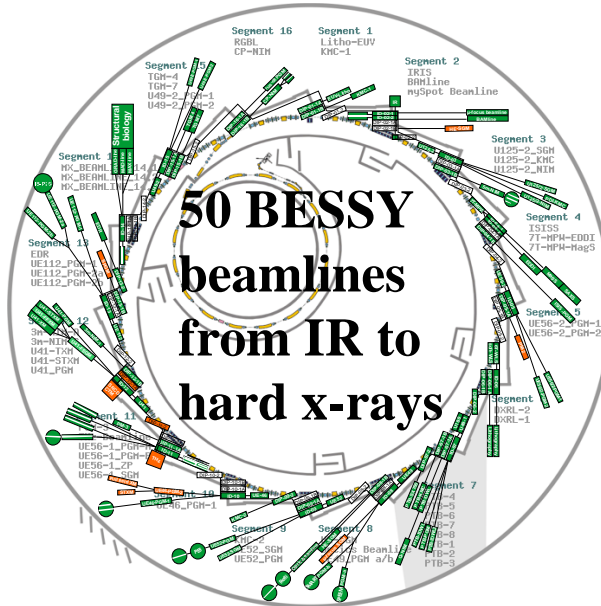
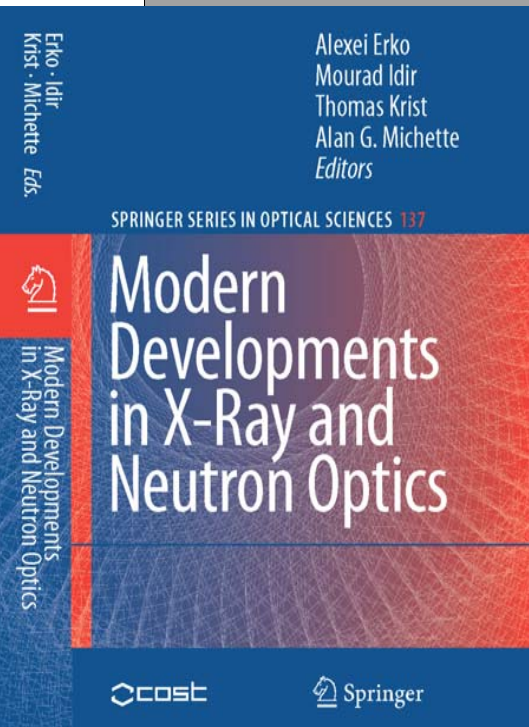


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#####      ###      ##      ##
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##      ##      ##      ##      ##
```

- 1984 FORTRAN-VMS/PDP-11
- 1989 VMS / VAX
- 1990 Surface profiles
- 1993 Stokes formalism
- 1994 Crystal optics
- 1995 Helical Undulators
- 1996 VMS / Alpha
- 2000 Multilayers
- 2002 PC-Windows / LINUX
- 2003 Pathlength
- 2005 Wavefront
- 2006 Expert's Optics
- 2008 Zoneplates
- 2008 Springer Vol. 137
- 2010 ML-Gratings

...

~100 copies worldwide





## Geometric Optics (Intensity raytrace)

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 Shadow (ESRF)

Xtrace (KIT)

...

## Wavefront propagation codes (Fourier Optics)

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PHASE (HZB-BESSY)

SRW (ESRF)

...

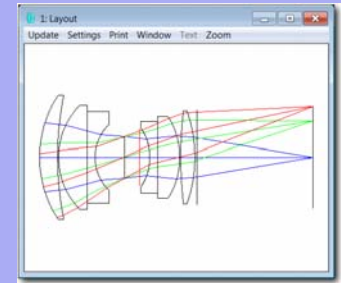
## Commercial programmes (lenses et al.)

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(Lambda Research)

ZEMAX

...



**FORTTRAN Source routines on TANGO:  
(20.000 lines – 350 pages)**

RAY.FOR      REFLEC.FOR  
Crysub.for  
Oeinput.for  
Optcon.for  
Raylib.for  
Source.for

VAX\_routines.for

PC\_routines.for

LINUX\_routines.for

**Executable program:**

RAY.EXE

RAY.EXE

RAY.EXE

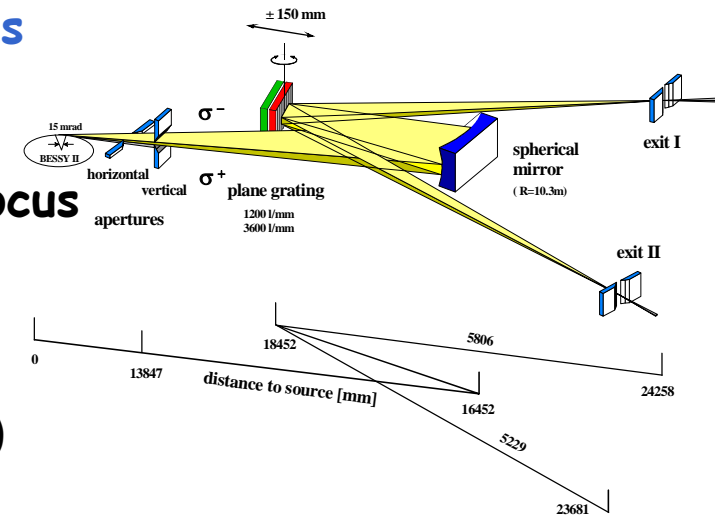
**Export:**

RAY\_VAX.ZIP

RAY\_PC.ZIP  
(12.5 MB)

RAY\_LINUX.ZIP

- **Imaging / focusing properties of optical systems**
  - create rays within a source volume
  - trace them through optical elements
  - display geometric distribution at the focus

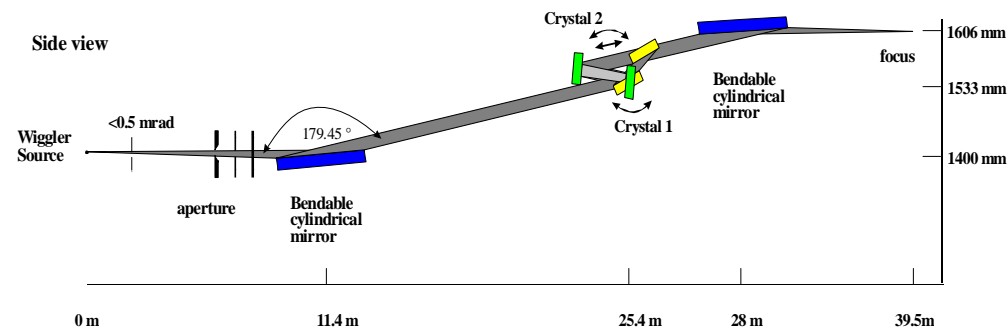


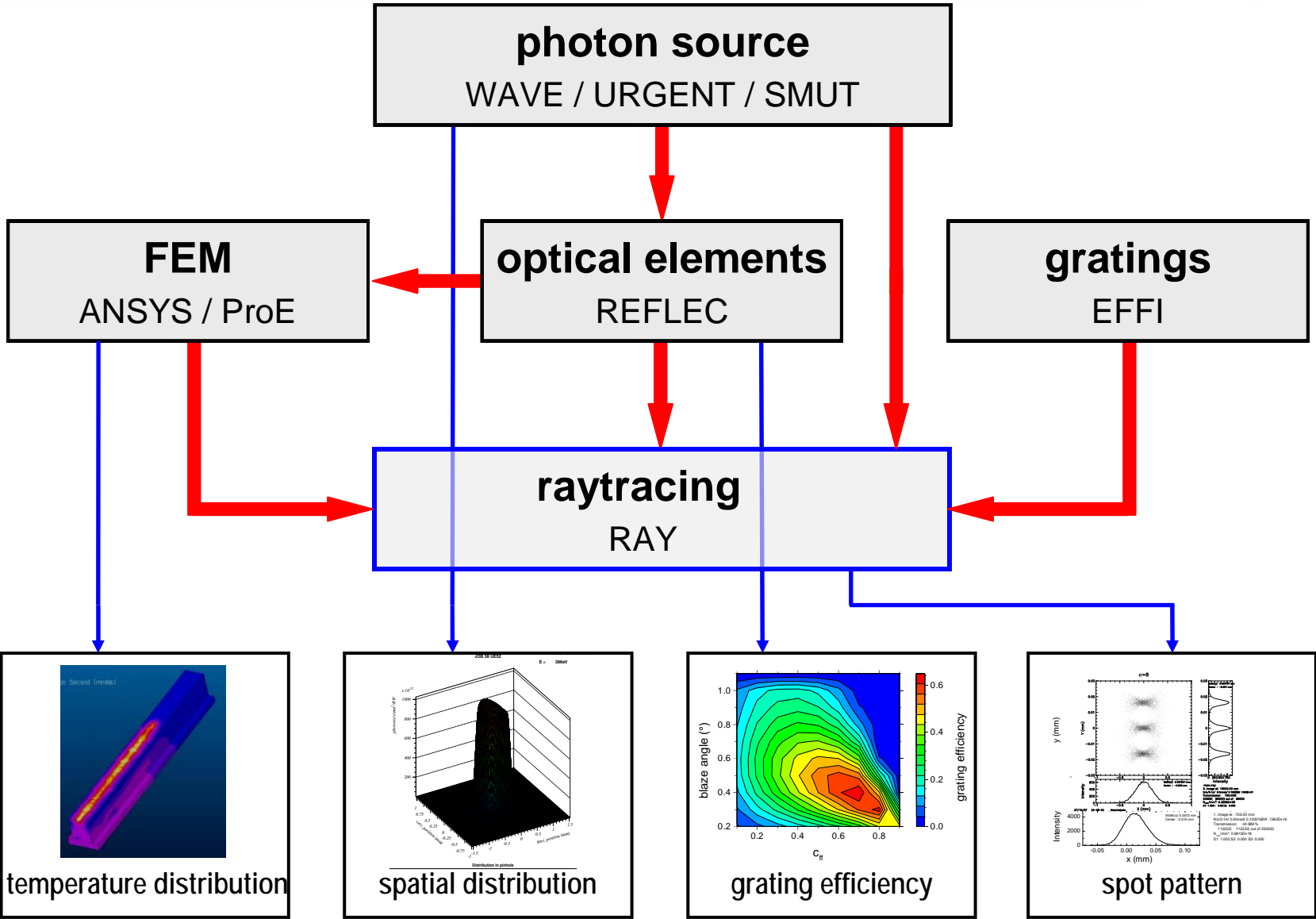
- **Design tool for (SR-) beamlines**

- point (extended) sources
- SR sources (dipole, Wiggler, Undulator)
- general optical applications
- predict performance under realistic conditions
- specify requirements of optical elements before order

- **RAY, REFLEC**

- user-friendly
- easy to learn
- easy accessible
- every day use
- minimum file handling
- online graphic
- quick response to new demands



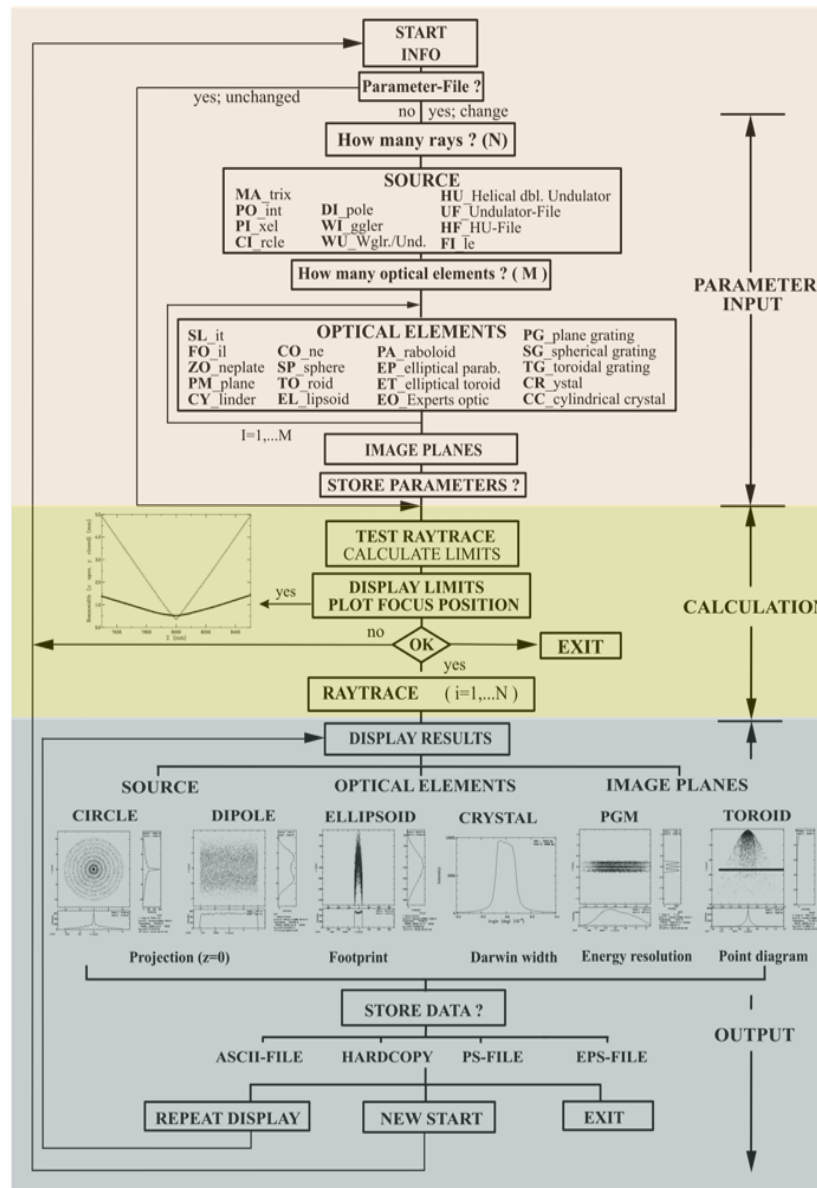




## Parameter input

## Raytrace

## Graphics output

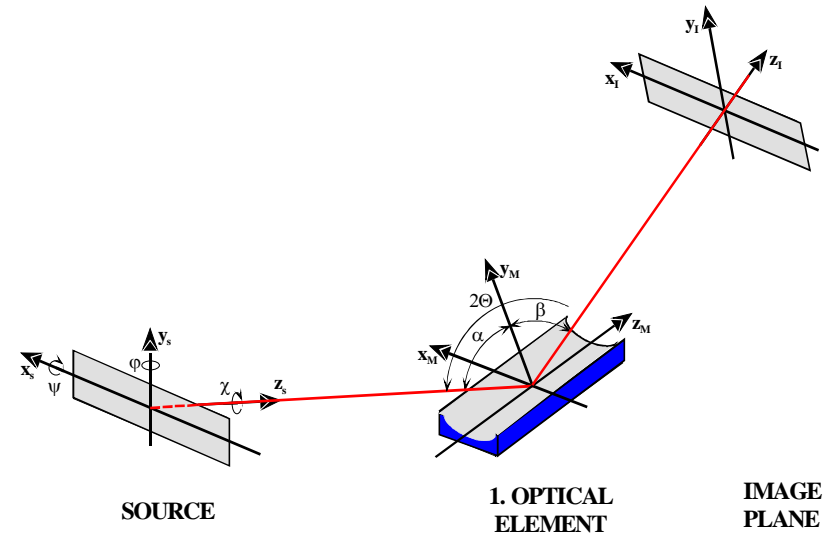


no Graphical  
User Interface,

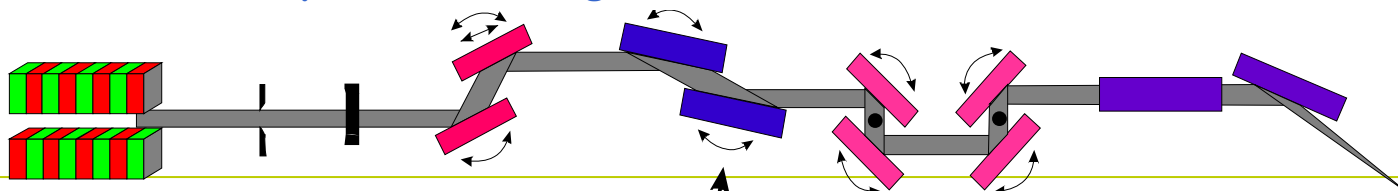
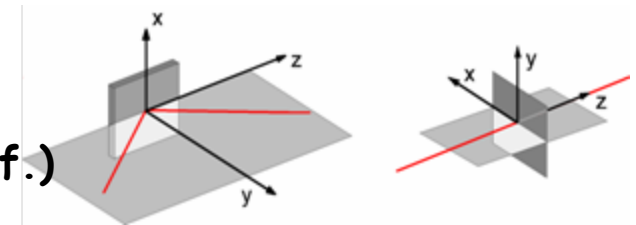
but „remotely“  
attachable  
to IDL,  
LABVIEW,  
PC-Batchfile

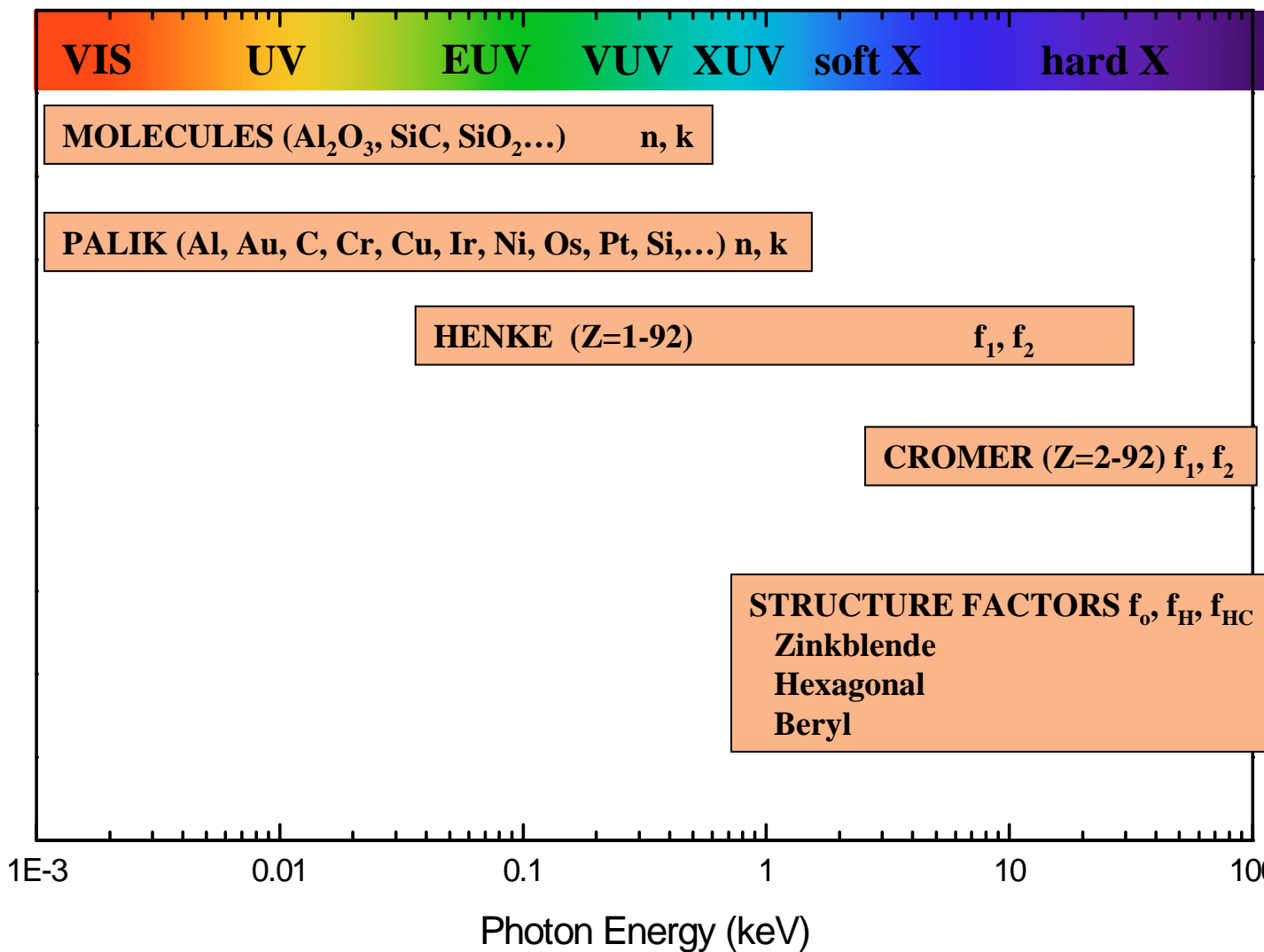
...

- A RAY is described by 12 parameters
  - geometric coordinates ( $x, y, z$ )
  - emission angle ( $l, m, n$ )
  - energy ( $h\nu$ )
  - polarisation ( $S_0, S_1, S_2, S_3$ )
  - time (pathlength) ( $t$ )
- The RAY starts in a SOURCE-volume with defined emission characteristics
  - point
  - dipole
  - undulator



- The RAY is modified by OPTICAL ELEMENTS acc. to laws of geometry and optics
  - transmitting - slits, foils (abs.)
  - reflecting - mirrors (refl.)
  - dispersing - gratings, zoneplates (eff.)
  - diffracting - crystals (refl.)
- All parameters of the RAY can be visualised at the Source, Optics and Image Planes





more than  
geometry...

Calculation of

- Reflectivity
- Efficiency
- Transmission
- Rocking curves
- Photon Flux
- Resolving power
- Polarisation



# LIGHT SOURCE

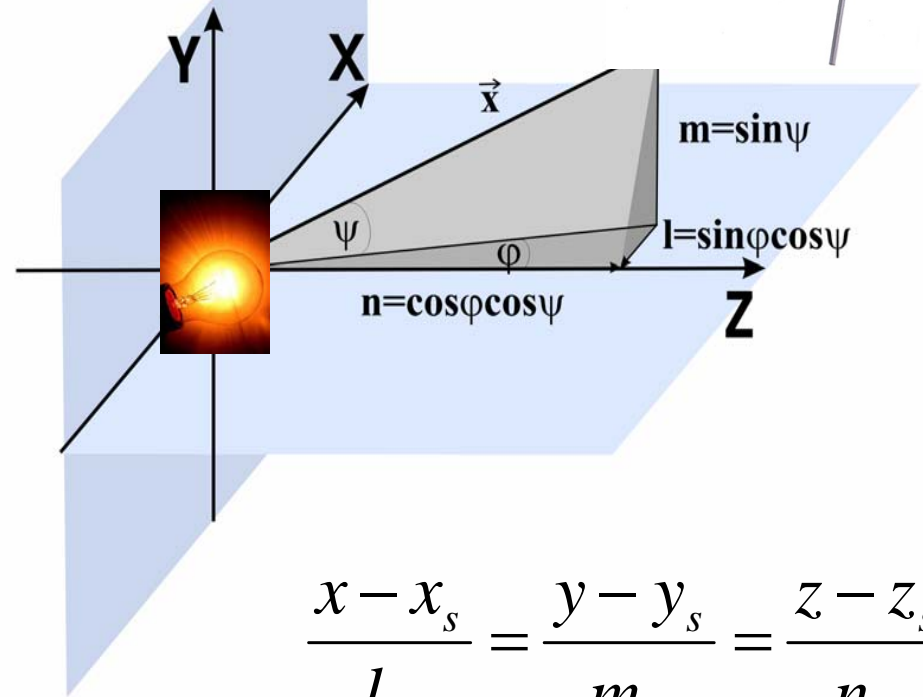
Create a ray

Point  $(x_s, y_s, z_s)$  and direction cosini  $(l_s, m_s, n_s)$

$$\vec{x} = \vec{x}_s + t\vec{\alpha}_s$$

$$\vec{\alpha}_s = \begin{pmatrix} l_s \\ m_s \\ n_s \end{pmatrix} = \begin{pmatrix} \sin\varphi\cos\psi \\ \sin\psi \\ \cos\varphi\cos\psi \end{pmatrix}$$

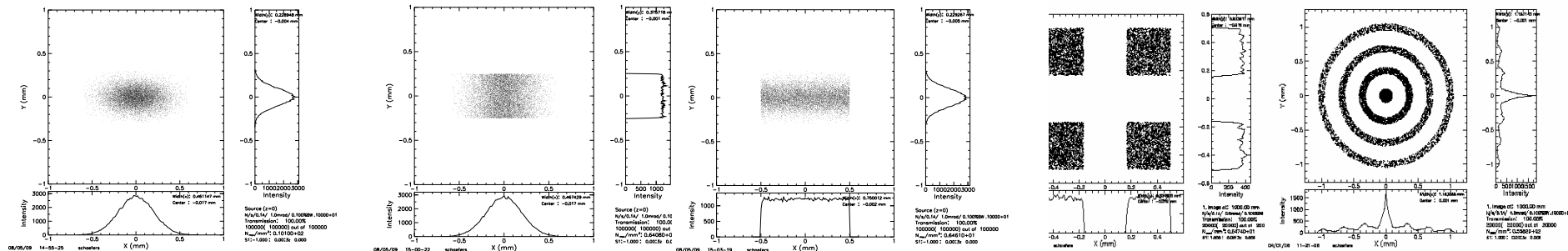
$$\begin{pmatrix} x \\ y \\ z \end{pmatrix} = \begin{pmatrix} x_s \\ y_s \\ z_s \end{pmatrix} + t \begin{pmatrix} l_s \\ m_s \\ n_s \end{pmatrix}$$



$$\frac{x - x_s}{l_s} = \frac{y - y_s}{m_s} = \frac{z - z_s}{n_s}$$







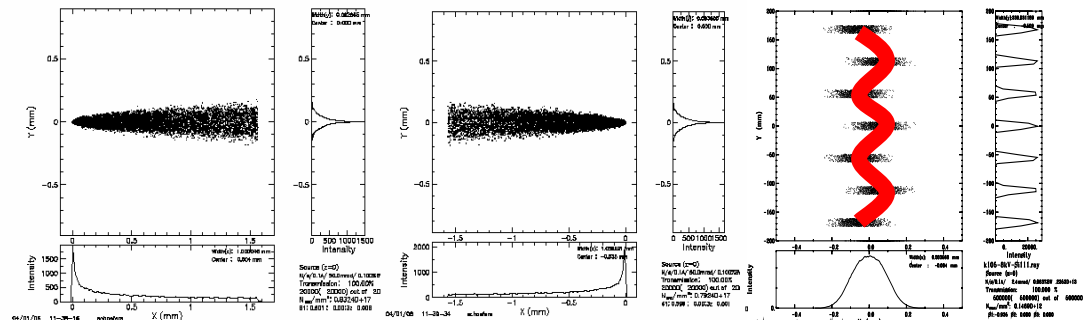
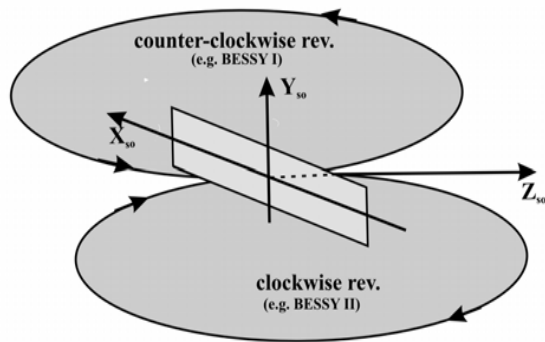
PO\_int

PO\_int

PO\_int

PI\_xel

CI\_rcle



DI\_pole

WI\_ggler

- Input by ASCII-data file:

UF\_Undulator

HF\_Helical Undulator

HU\_Helical double Undulator

FI\_le

- Realistic simulation of source intensity, volume and emission
- SR sources: polarisation included
- electron beam emittance effects
- detuning effects (orbit change, misalignment)

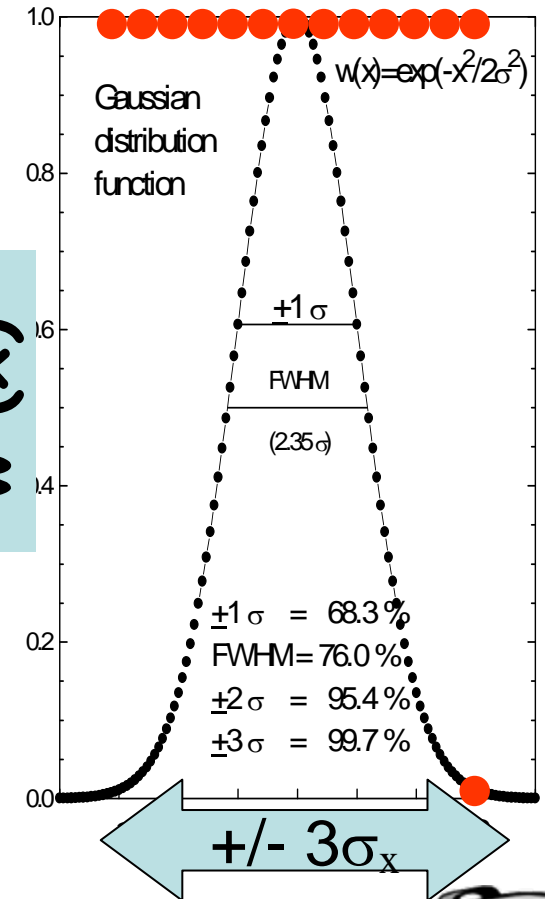
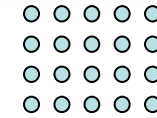
# §1: ALL RAYS HAVE EQUAL PROBABILITY = INTENSITY

- **Systematic** generation or...
- **Statistical** generation of rays within the source
- **Probability distribution**
  - start coordinates  $x, y, z$
  - emission angles  $\varphi, \psi$
  - energy, time...
- **Advantages**
  - easy
  - few rays enough for realistic simulation (within given statistics)
  - no systematic errors (only statistical)

## • Example: Gaussian intensity profile

1. get random number  $\text{ran1}$   
 $0 \leq \text{ran1} \leq 1$
2. scale variable, e.g.  $x$   
 $x = (\text{ran1} - 0.5) \delta x$   
 $-\delta x/2 \leq x \leq \delta x/2$

3. probability for this  $x$  value  
 $w(x) = \exp(-x^2/2\sigma^2)$
4. get random number  $\text{ran2}$   
 $0 \leq \text{ran2} \leq 1$
5. ACCEPT  $x$  ONLY IF  
 $w(x) - \text{ran2} \geq 0$
6. if not, goto 1



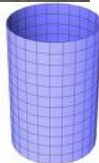
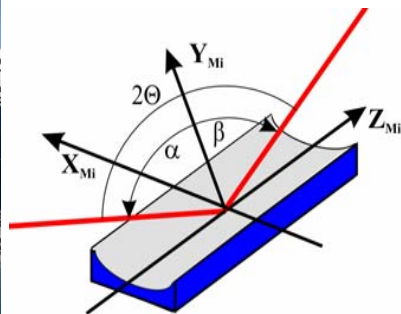
Applicable to ANY probability function



-

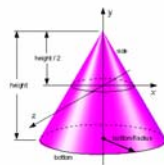


PM\_plane m.



CY\_linder (x,z)

CO\_ne



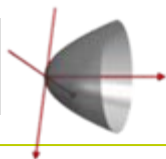
SP\_here



EL\_lipsoid



PA\_raboloid (circ., ell.)



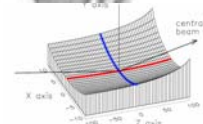
$$\begin{aligned}
 F(x, y, z) = & \\
 = & a_{11}x^2 + a_{22}y^2 + a_{33}z^2 + \\
 & + 2a_{12}xy + 2a_{13}xz + 2a_{23}yz + \\
 & + 2a_{14}x + 2a_{24}y + 2a_{34}z + a_{44} \\
 & + b_{12}x^2y + b_{21}xy^2 + \\
 & + b_{13}x^2z + b_{31}xz^2 + \\
 & + b_{23}y^2z + b_{32}yz^2 = 0
 \end{aligned}$$

TO\_roid

ET\_elliptical toroid

DI\_aboloid

EO\_expert's optic





Find the intersection point  $x_M, y_M, z_M$

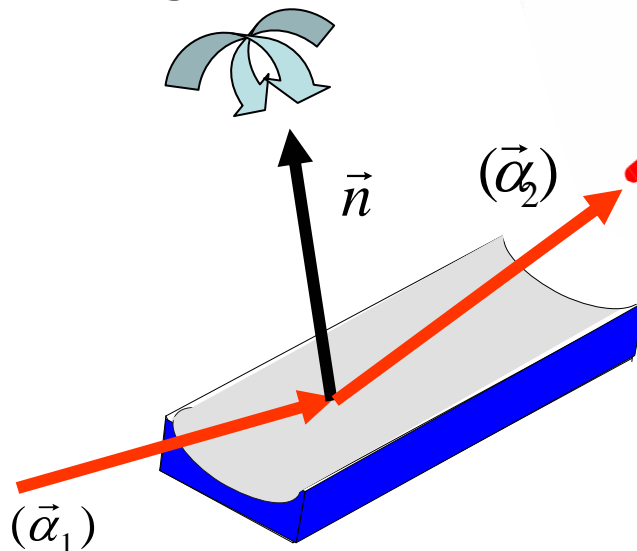
Find the local normal vector

(Include slope errors, surface profile)

Find the direction of outgoing ray

Attach next optical element

or find intersection with  
Image Plane



$$\vec{n} = \begin{pmatrix} n_x \\ n_y \\ n_z \end{pmatrix} = \frac{1}{\sqrt{f_x^2 + f_y^2 + f_z^2}} \begin{pmatrix} f_x \\ f_y \\ f_z \end{pmatrix} \quad \vec{f} = \nabla F$$

$$\alpha_2 = \vec{\alpha}_1 - 2 \cdot (\vec{n} \circ \vec{\alpha}_1) \vec{n}$$

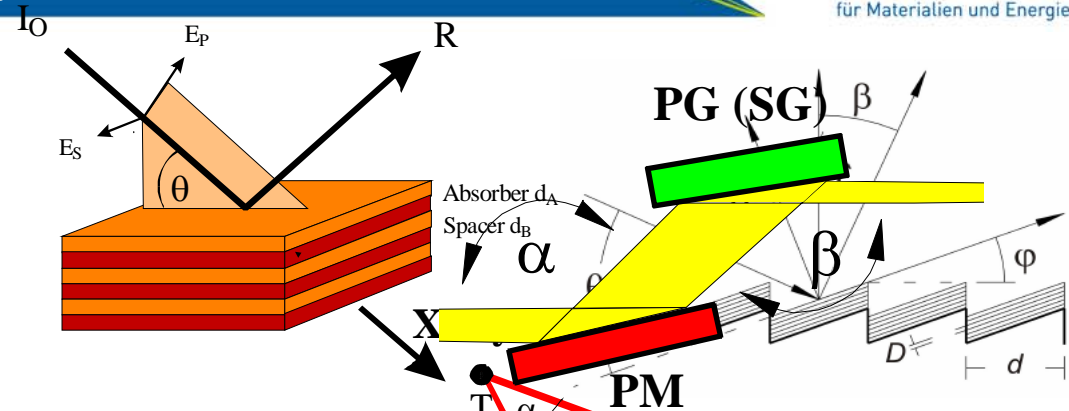
$$\vec{x}_{M_2} = D_{\tilde{x}}(\theta) D_z(\chi) T_z(z_q) \cdot \vec{x}_{M_1}$$

$$\begin{pmatrix} x_I \\ y_I \end{pmatrix} = \begin{pmatrix} x \\ y \end{pmatrix} + \frac{1}{n} \begin{pmatrix} l \\ m \end{pmatrix} (z_{I,1,2,3} - z)$$

Data Evaluation, Storage, Display

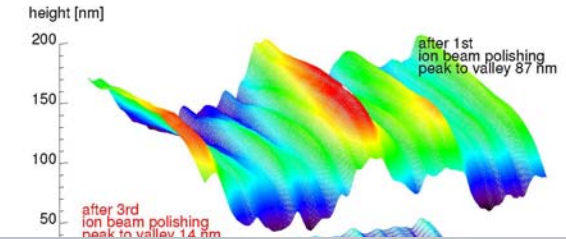
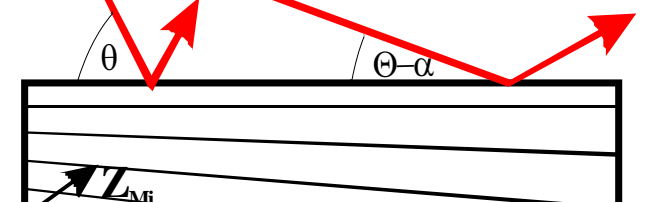
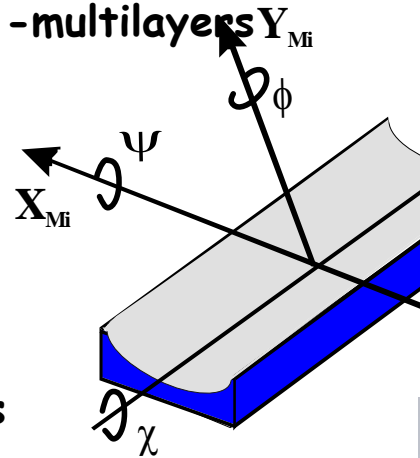
Start with a new ray in the source...

- (Multilayer-) Coatings on Optics
- Special monochromator mounts:  
SX700 plane grating PGM  
Spherical grating SGM



Varied Line Spacing-(VLS-) gratings  
Laterally graded crystals, -multilayers

- Miscellaneous: Misalignment
- Measured, calc. surface profiles





AXO DRESDEN GmbH Applied X-ray Optics Röntgenoptik und Präzisionsbeschichtung

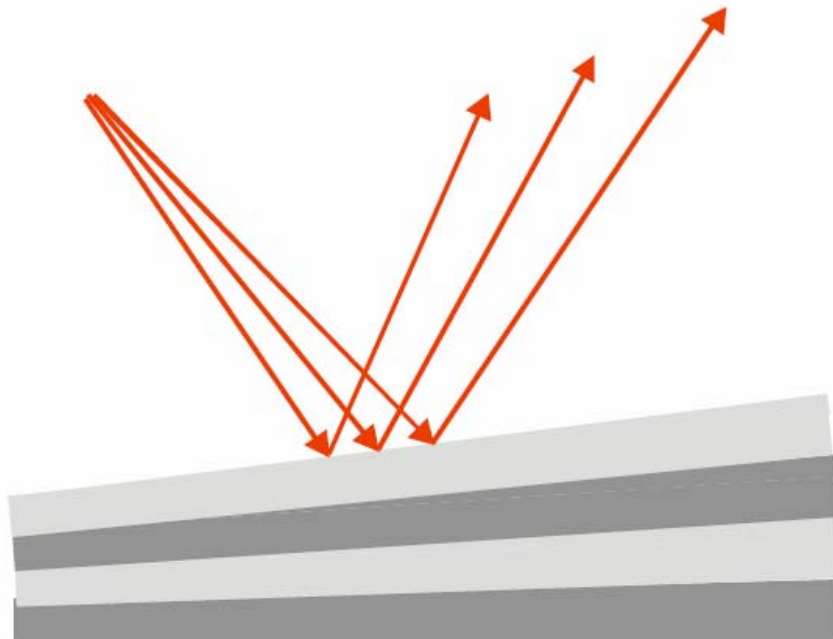
A P P L I E D X - R A Y O P T I C S

## Laterally graded multilayers

BRAGG's law:  $\lambda = 2d \sin\theta$

⇒ smaller incidence angle requires larger layer thickness

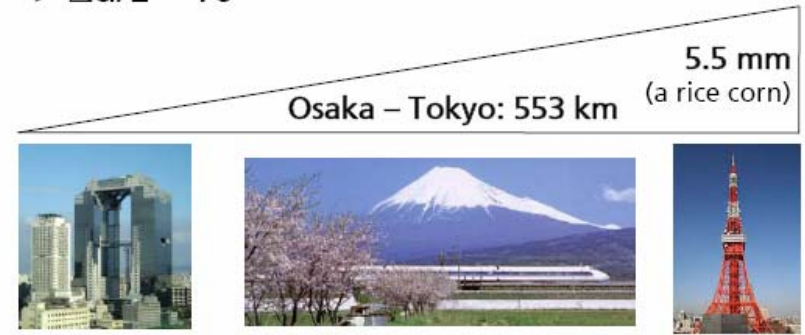
⇒ laterally graded multilayer (for point sources or bended optics)

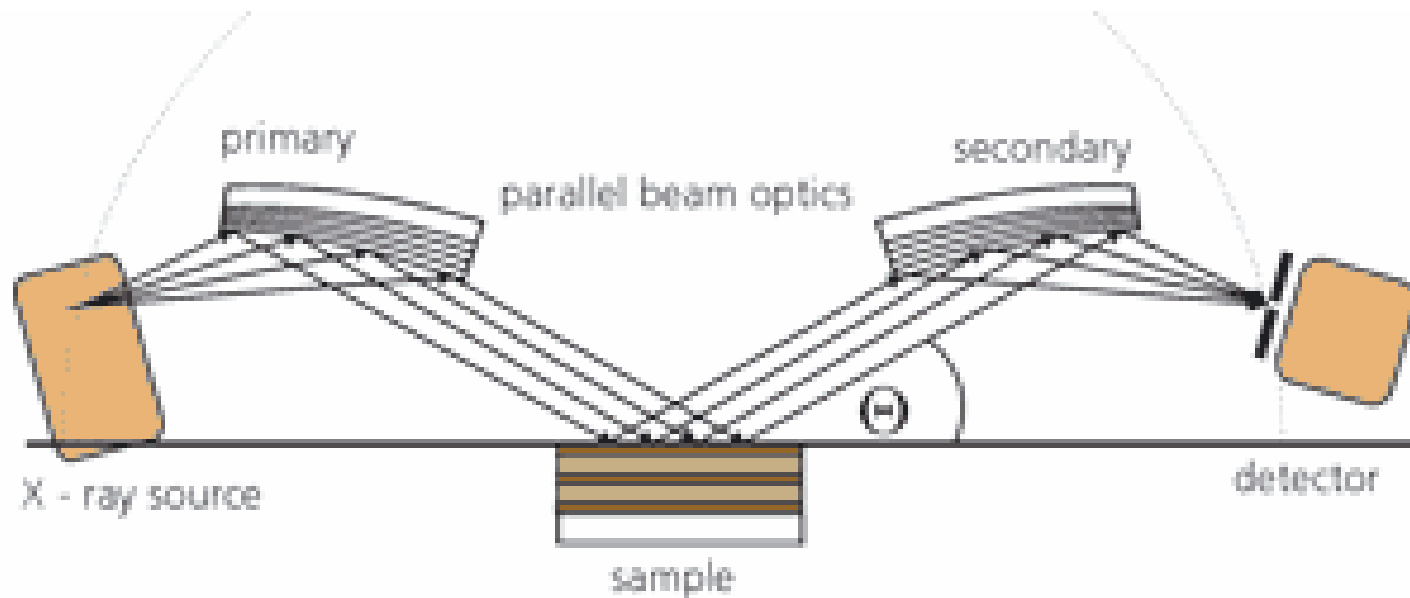


Typical application:

$d = 2.88\text{--}3.52 \text{ nm}$  for a distance of 60 mm

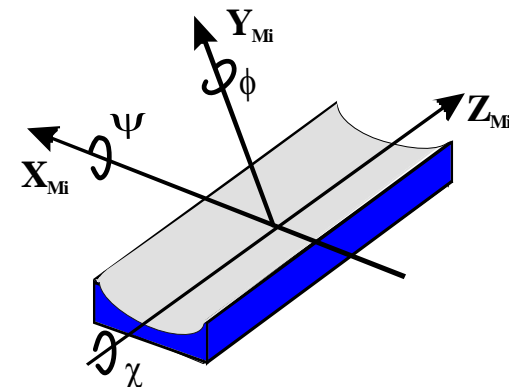
⇒  $\Delta d/L \approx 10^{-8}$





2-dim. thickness variation in material A and/or B

$$d_{(A,B)(x,z)} = d_{(A,B)(0,0)} * (1 + b_1 z + b_2 z^2 + b_3 z^3 + b_4 z^4 + b_5 x + b_6 x^2 + b_7 x^3 + b_8 x^4)$$





# Reflectivity and Polarisation

- Each ray has an energy (E) and a polarisation  $\vec{S}_{ini} = (S_0, S_1, S_2, S_3)$   
(Given by input or calculated (DI\_pole, WI\_ggler, Undulator))
- E and S can be different for different rays
- Polarisation is traced through the entire optical system



Determination of energy resolution

Determination of (de)polarisation effects

$$\vec{S}_{final} = R(-\chi) M R(\chi) \vec{S}_{ini}$$

$$\vec{S}_M = \begin{pmatrix} S_{0M} \\ S_{1M} \\ S_{2M} \\ S_{3M} \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos 2\chi & \sin 2\chi & 0 \\ 0 & -\sin 2\chi & \cos 2\chi & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} S_{0ini} \\ S_{1ini} \\ S_{2ini} \\ S_{3ini} \end{pmatrix} \quad \begin{pmatrix} S_{0final} \\ S_{1final} \\ S_{2final} \\ S_{3final} \end{pmatrix} = \begin{pmatrix} \frac{R_s + R_p}{2} & \frac{R_p - R_s}{2} & 0 & 0 \\ \frac{R_p - R_s}{2} & \frac{R_s + R_p}{2} & 0 & 0 \\ 0 & 0 & R_s R_p \cos \Delta & R_s R_p \sin \Delta \\ 0 & 0 & -R_s R_p \sin \Delta & R_s R_p \cos \Delta \end{pmatrix} \circ \begin{pmatrix} S_{0M} \\ S_{1M} \\ S_{2M} \\ S_{3M} \end{pmatrix}$$

Rotation matrix

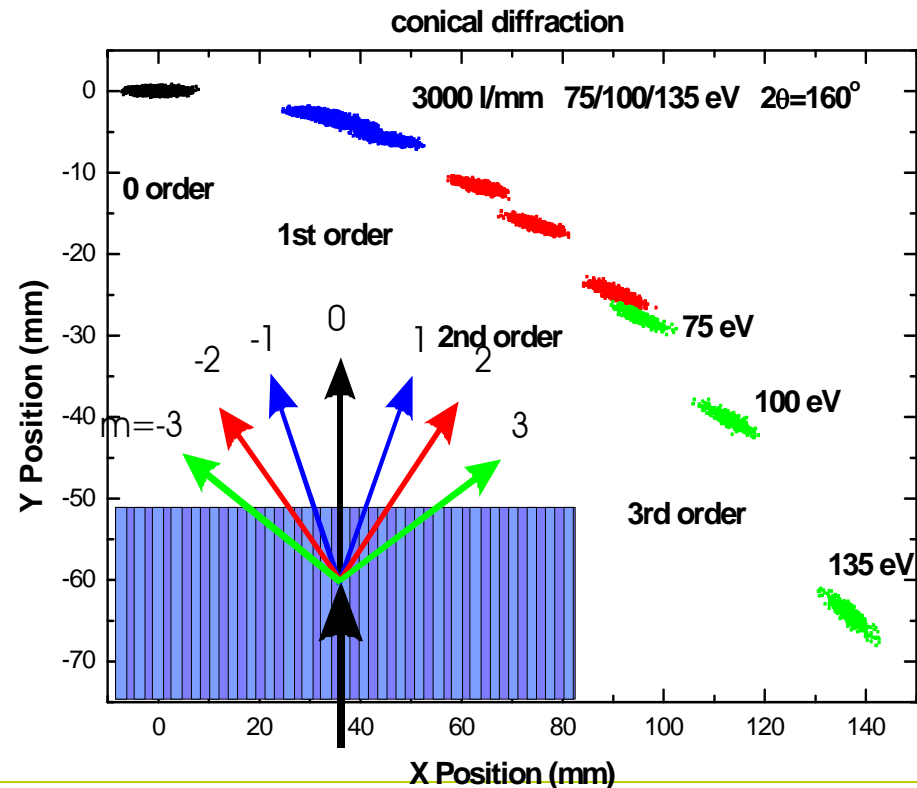
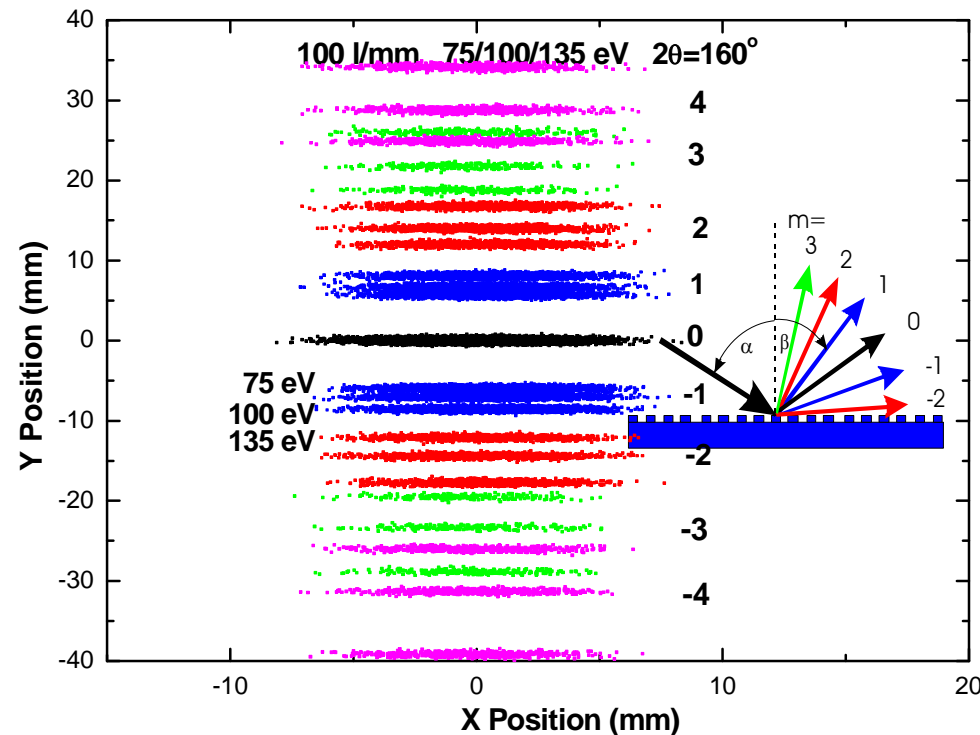
Müller matrix

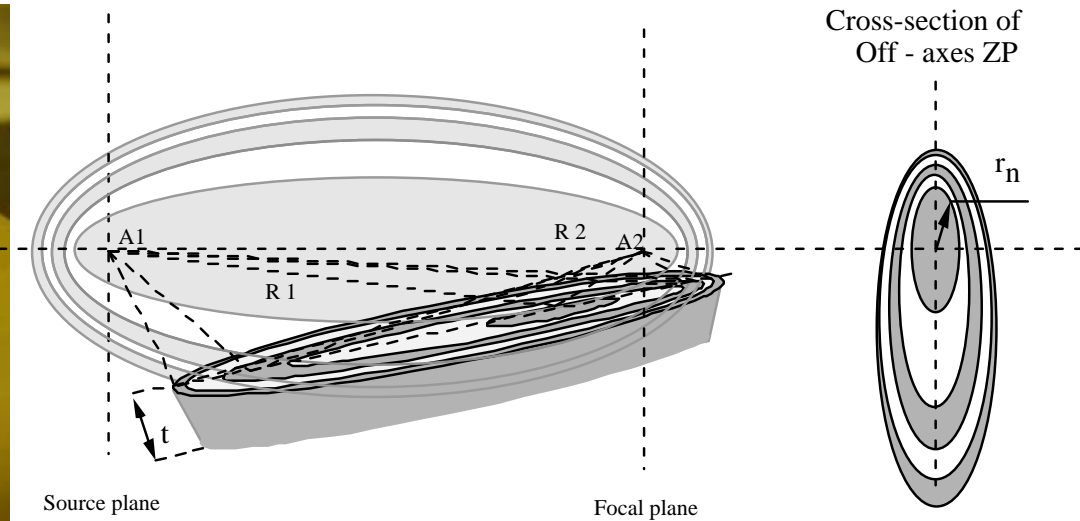
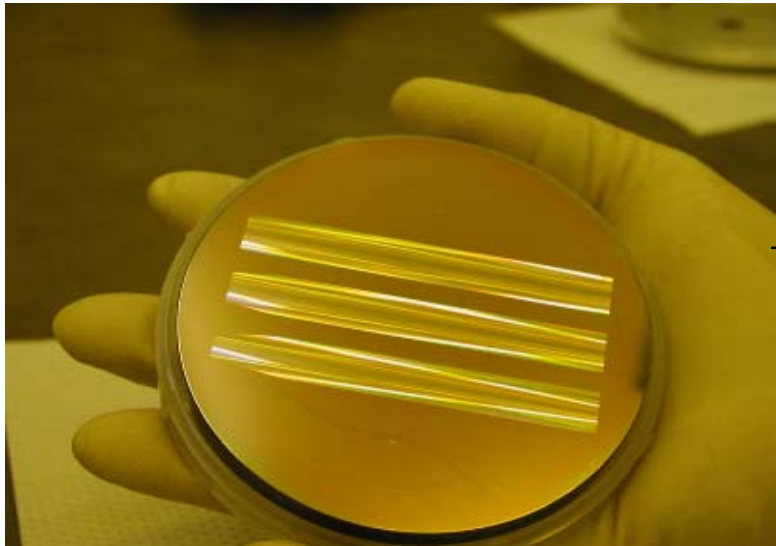
$$k\lambda = d(\sin\alpha + \sin\beta)$$

**VLS-Grating:**

$$1/d = n = n_0 \cdot (1 + 2b_2z + 3b_3z^2 + 4b_4z^3 + 2b_5x + 3b_6x^2 + 4b_7x^3)$$

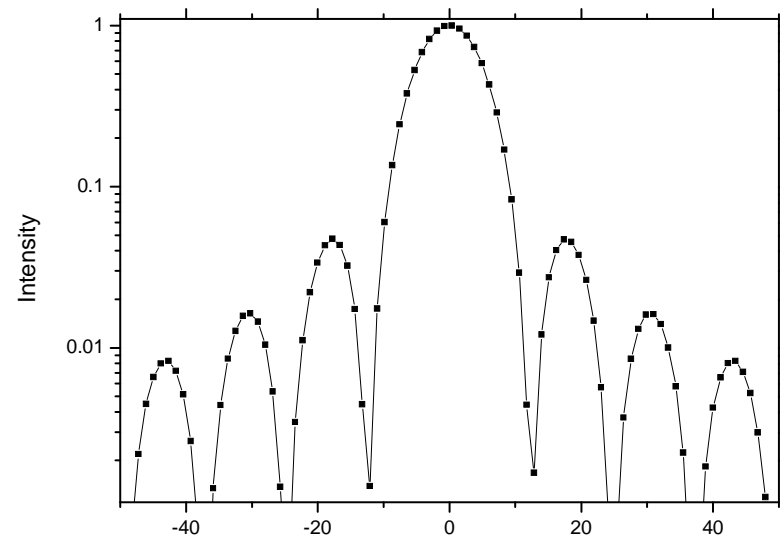
$$(\vec{\alpha}_2) = \begin{pmatrix} l_2 \\ m_2 \\ n_2 \end{pmatrix} = \begin{pmatrix} l_1 \\ \sqrt{m_1^2 + n_1^2 - (n_1 - a_1)^2} \\ n_1 - a_1 \end{pmatrix} \quad \alpha_1 = kl/d$$





## Elliptical Reflection (Bragg-Fresnel) zone plate for reflection, focussing, monochromatisation

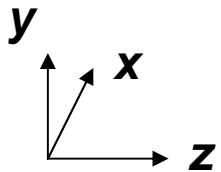
Gold reflection off-axis zone plates on a Si  
substrate: 715 eV, 785 eV, 861 eV.  
Focal distance: 902 cm. Outer zone: 1  $\mu\text{m}$ .  
Aperture: 80 mm x 10 mm



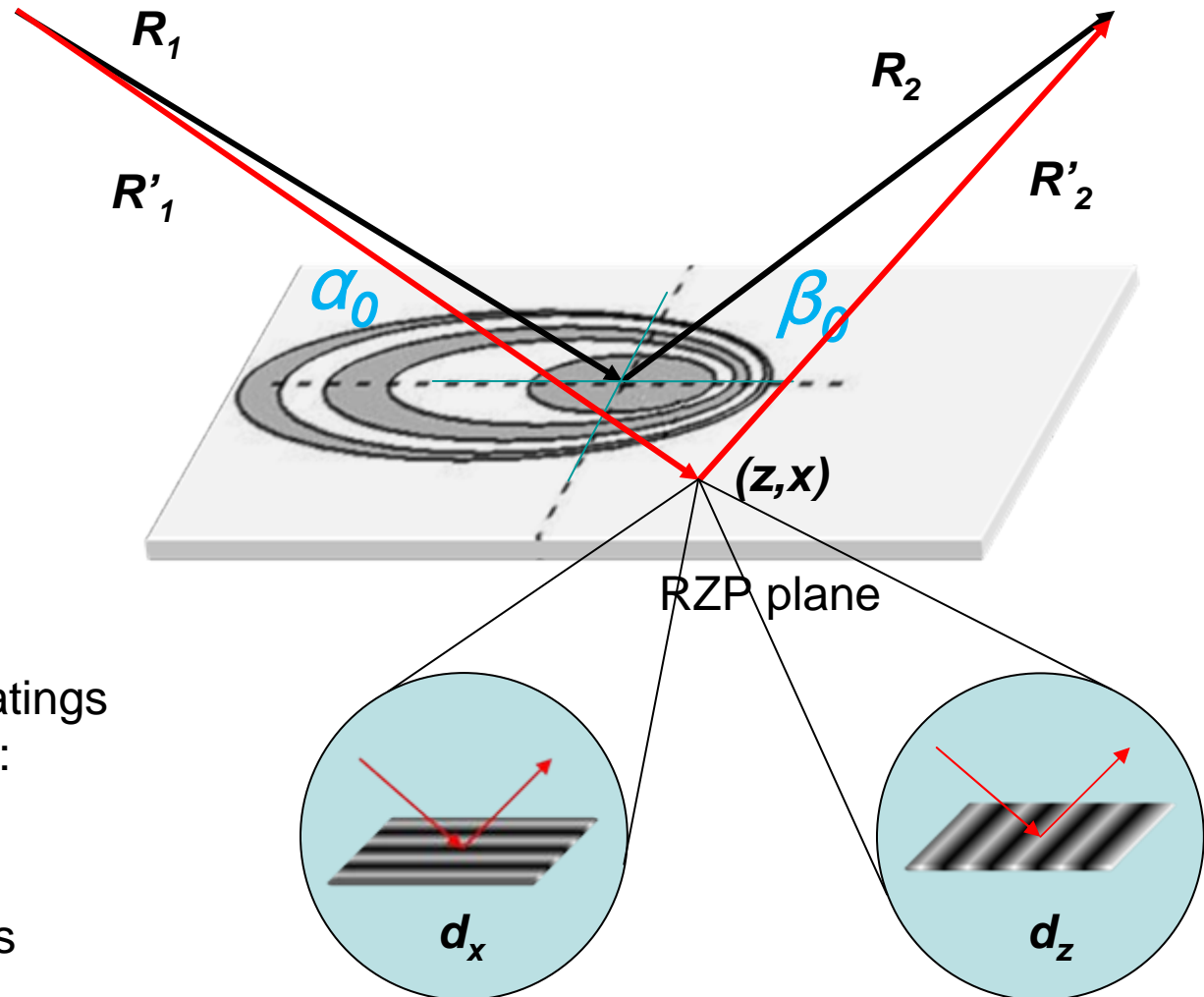
**Intensity profile in the focal plane**  
**calculated with 100 000 000 rays**

Courtesy Shahin Shahraei  
Courtesy Alexei Erko

Raytracing  
code RAY for  
fs beamline  
calculation

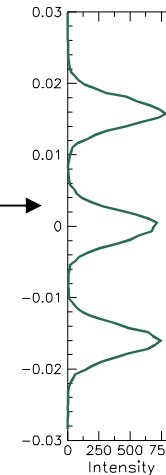
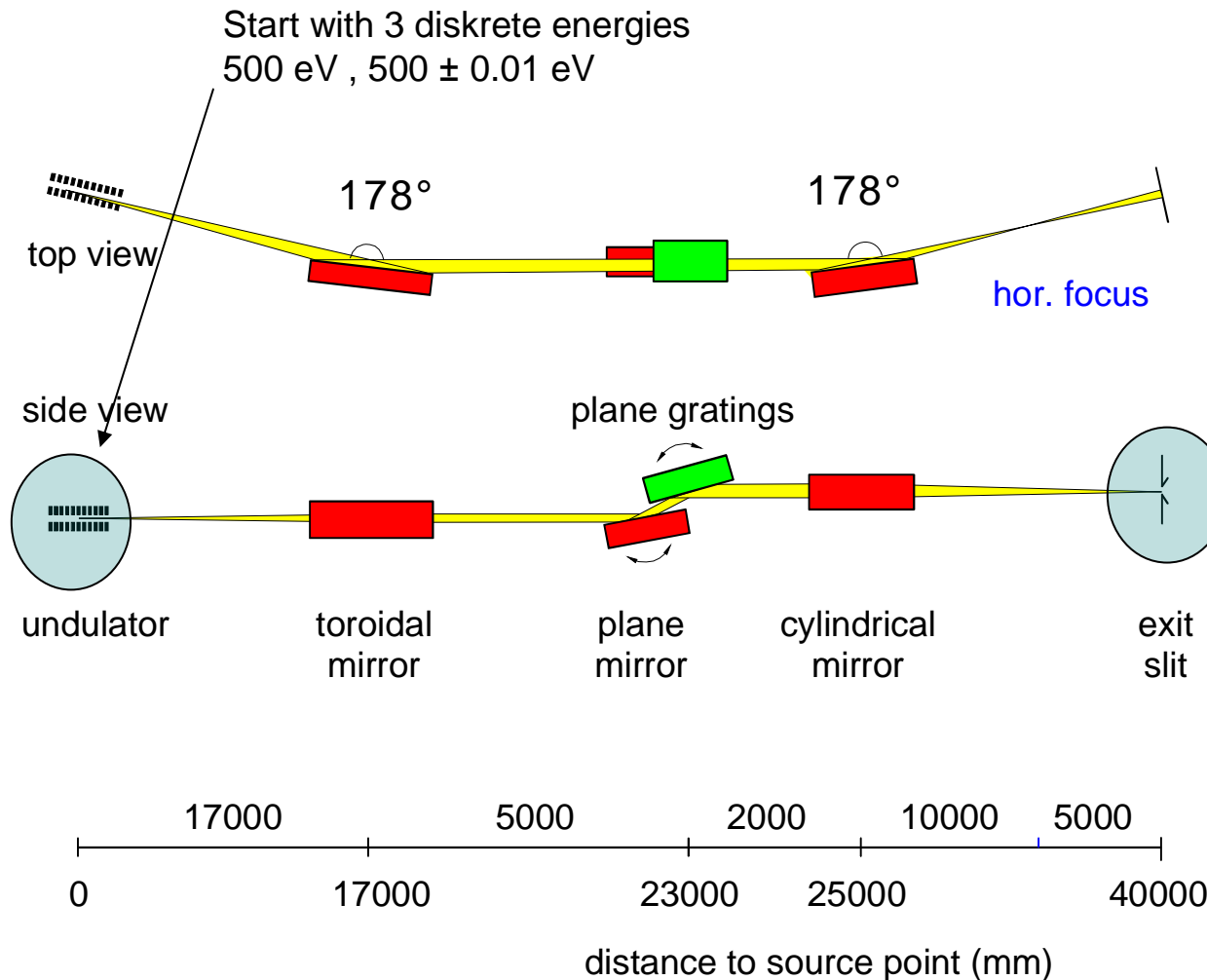


- Superposition of gratings
- Local grating vector:
  - $d_x$
  - $d_z$
- Decreases outwards



## RAYtracing

Watch pattern at exit slit

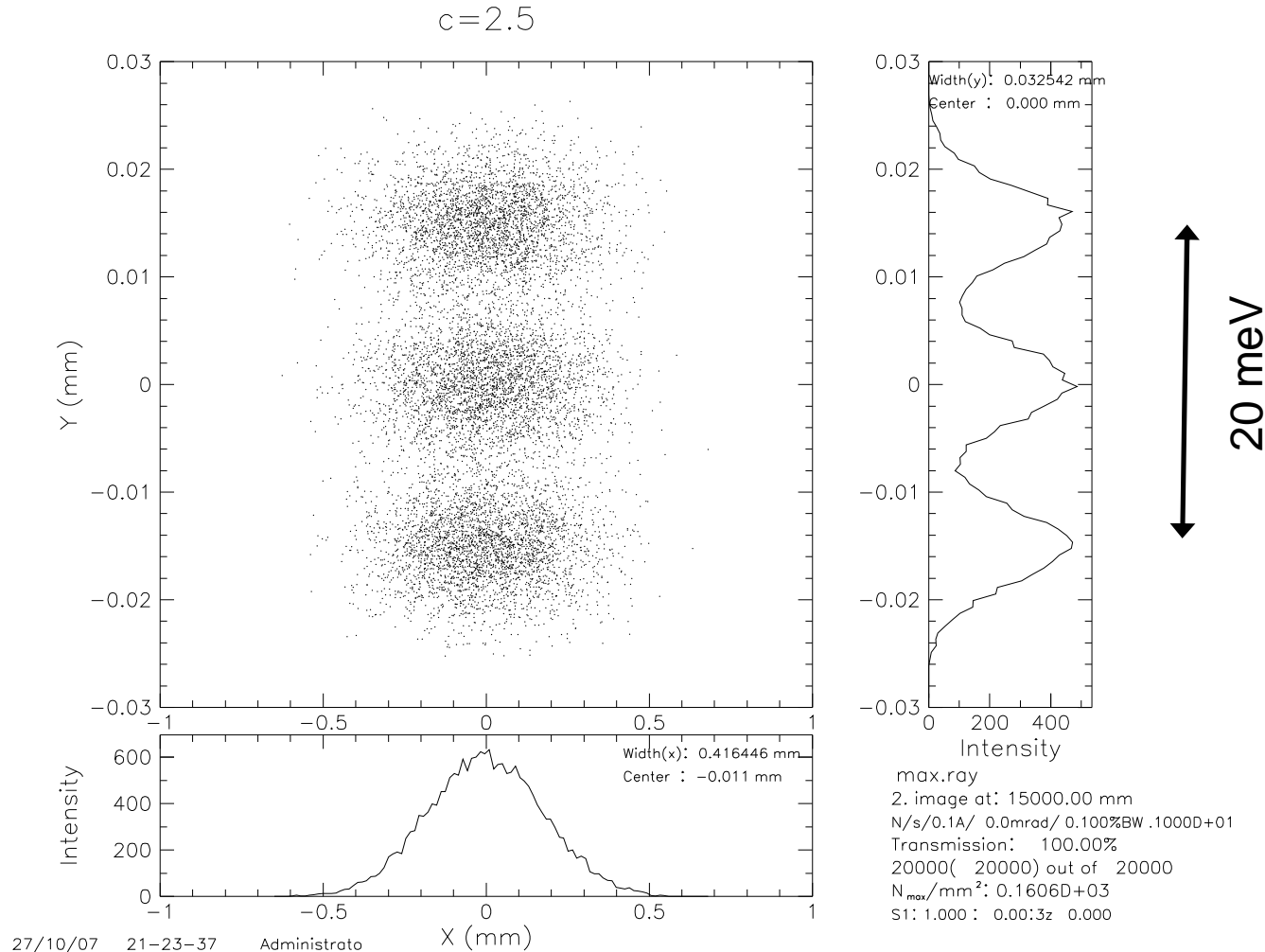


Vary magnification ratio  $c$

$$c = \cos \beta / \cos \alpha$$

## Beamline study MAX IV

No slope errors

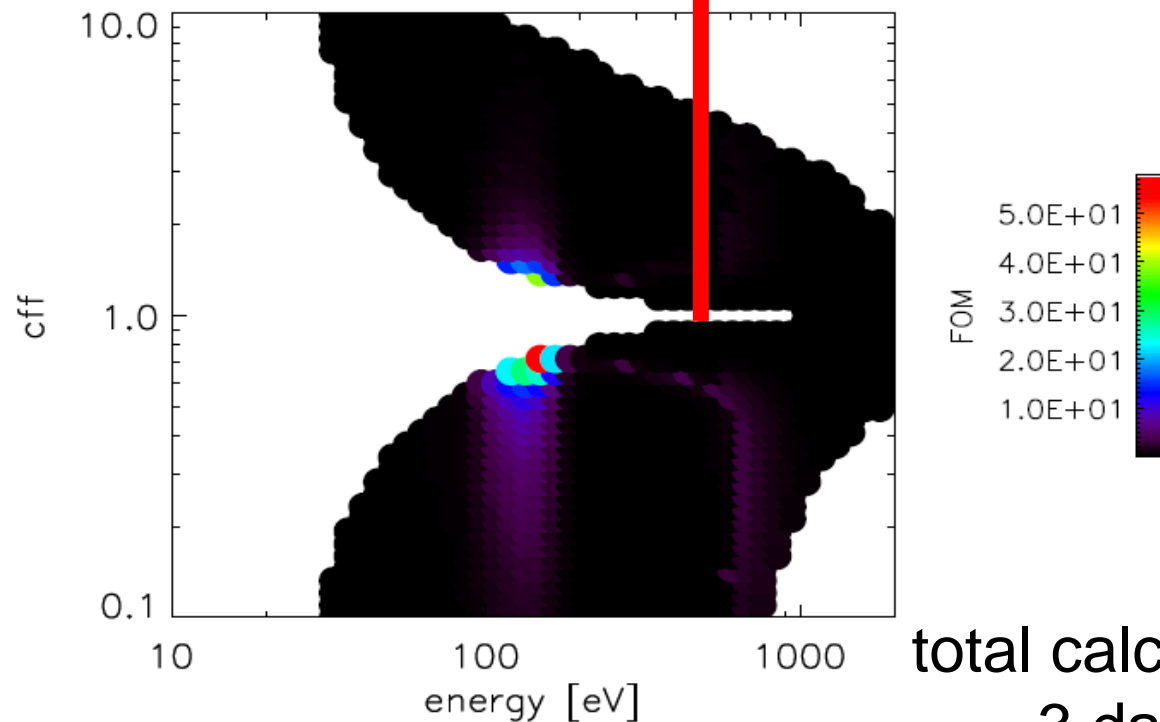


Demagnified source improves energy resolution

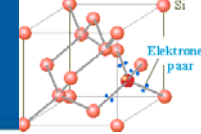
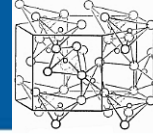
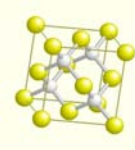


## 2.10 „Figure of Merit“ 2

RAY in IDL surrounding  
do i=1,8000  
RAY (i)  
end do

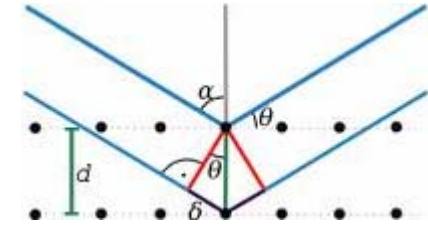


total calculation time  
~3 days



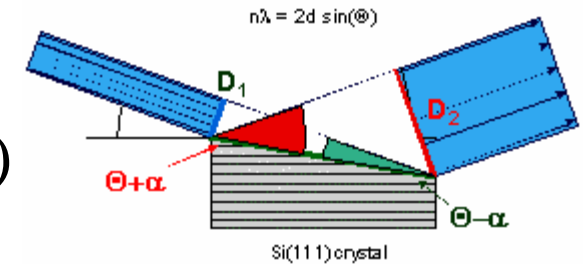
- Bragg-reflection at crystal lattice planes:

$$\lambda = 2d \sin \theta$$

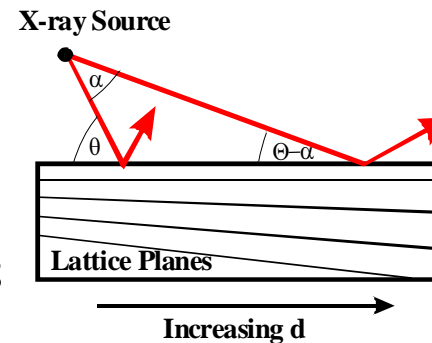


- Asymmetric crystals (offset to surface):

$$b = (\sin(\theta_B - \alpha)) / (\sin(\theta_B + \alpha))$$



- Graded crystals ( $d=d(z)$ )



- Plane and cylindrical crystals

- Darwin-Prins formalism

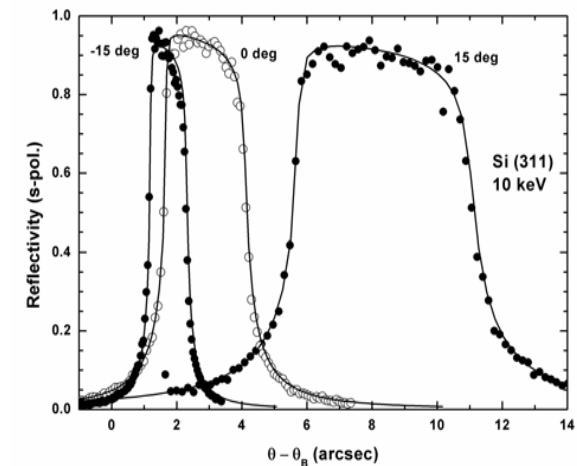
- Crystal structure factors  $F_0$ ,  $F_h$ ,  $F_{hc}$

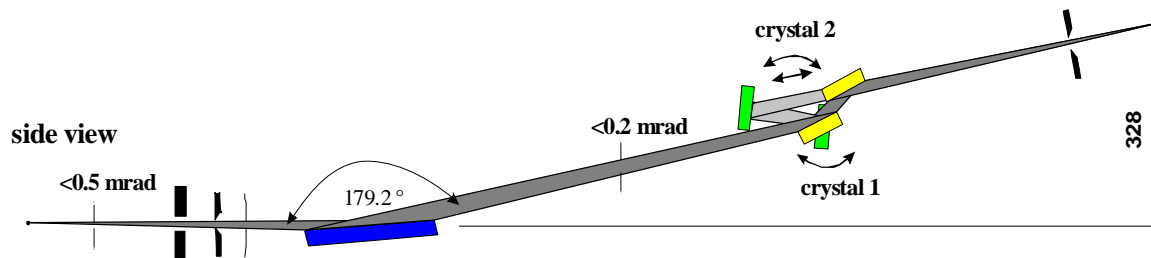
(geometric properties - element specific scattering factors)

(Miller indices  $hkl$ , elements, lattice constant,  $f=f_0+\Delta f_1+\Delta f_2$ )

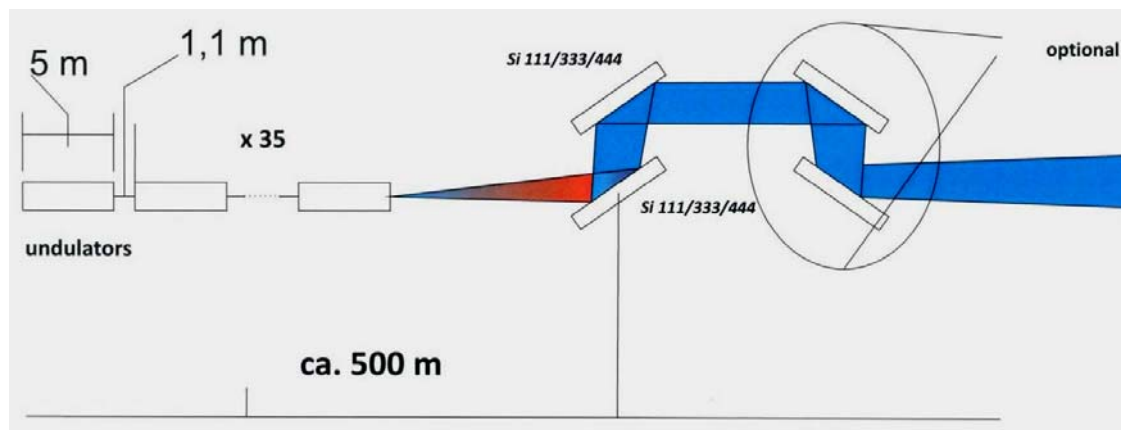
- Calculated for zink blende, quartz

$$\Delta \Theta_{out} = b \Delta \Theta_{in}$$

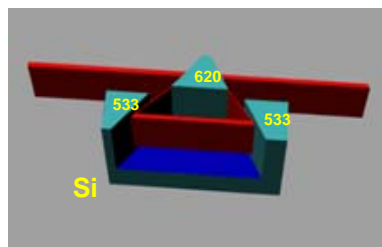




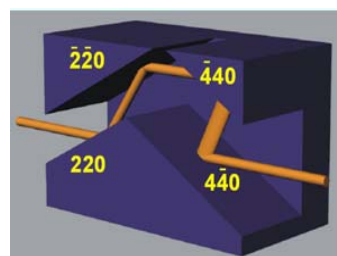
Double Crystal Mono DCM



4-bounce Bartels Monochromator

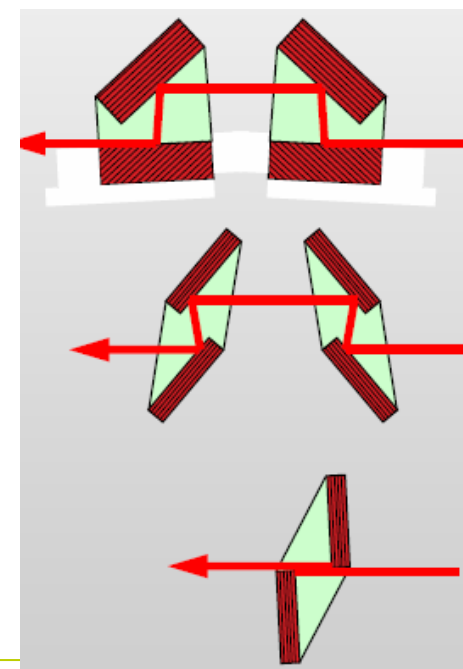


asymmetric (60°) diffractions  
 $E = 8.03996 \text{ keV}$ ,  
 $\Delta E = 14.685 \text{ meV}$



Miniature monolithic Ge  
4-bounce monochromator  
for Co  $K\alpha_1$  radiation

High Resolution Mono HRM



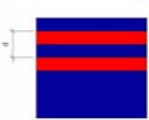
# Montel Optics (still to be done...)

## Ray tracing on challenging multilayer mirror surfaces for extremely low divergence in collimation and focusing applications

Marcelo G. Hönnicke, Jeffrey W. Keister, Xianrong Huang, Nalaka Koditwakku, Yong Q. Cai

### Multilayer mirrors and Göbel mirrors

$$m\lambda = 2d \cdot \sin(\theta) (1 + \tilde{\chi}_{\text{av}})$$

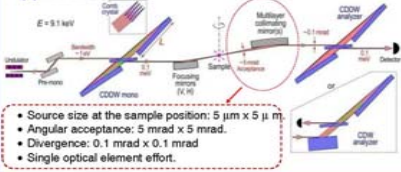


#### Göbel mirrors (curved multilayer mirrors):

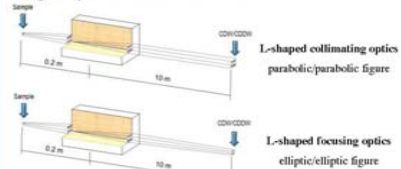
X-ray powder diffractometers to improve the intensity on the samples.

**Multilayer mirrors (ML):** Synchrotron monochromators with large bandwidth and high reflectivity above the critical angle; usually unbent.

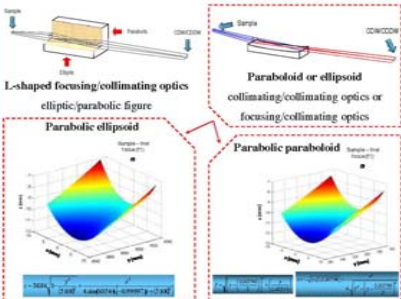
### Applications



### Single optical element effort



### Challenge surfaces

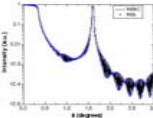


### Multilayer choice and mirror parameters

Theoretical reflectivity (1<sup>st</sup> harmonic): 0.85/1

Parameters:  
Ba/C/Si= 1.5 nm  
W= 1.0 nm  
100 bi-layers  
(200 in total)  
Si substrate

Parameters to be determined (by ray tracing):  
Imperfections in the lattice  
parameter ( $\delta d/d$ ),  
slope error and  
roughness



#### Parabolic

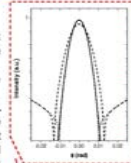
P	$R_{\text{av}}$	$R_{\text{rms}}$	$R_{\text{rms}}$	$R_{\text{rms}}$	$R_{\text{rms}}$	$R_{\text{rms}}$
0.30796	0.02775	58.17	1.002	2.5485	2.5710	

#### Elliptic

P	$R_{\text{av}}$	$R_{\text{rms}}$	$R_{\text{rms}}$	$R_{\text{rms}}$	$R_{\text{rms}}$	$R_{\text{rms}}$
0.30195	0.02775	35.94	0.953	2.3510	2.5085	

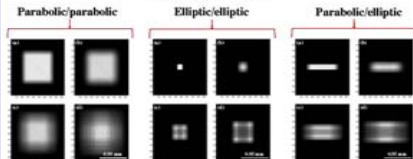
### Ray tracing

- SHADOW/VUI (XOP extension) does not work with lateral graded ML - RAY (BESSY) works with lateral graded ML.
- SHADOW and RAY are not able to easily handle with L-shaped mirror (as a single optical element).
- In house MATLAB/OCTAVE scripts: graded ML and L-shaped mirror. Adjustable parameters: source size, figure, multilayer parameters (reflectivity, that depends on the layer material, thickness and number of layers), random layer thickness fluctuation ( $\delta d/d$ ), slope error, roughness and imperfections in the corner.



$$S \approx A_{\text{sin}} \left( \frac{2 \cdot \pi \cdot L}{500} \right) \cdot \left( \frac{r}{r_0} \right)^2 = \frac{8 \cdot \pi \cdot A_{\text{sin}} \cdot (r/r_0)^2}{(1 + k^2 \theta^2 \omega^2)}$$

#### L-shaped mirror



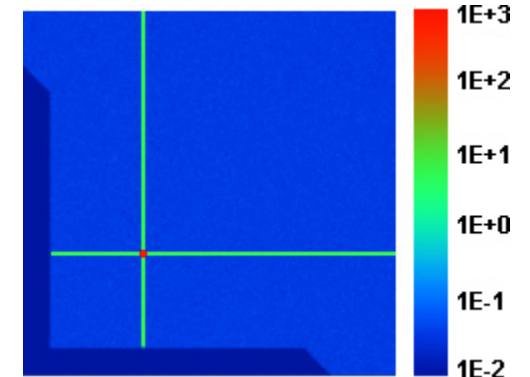
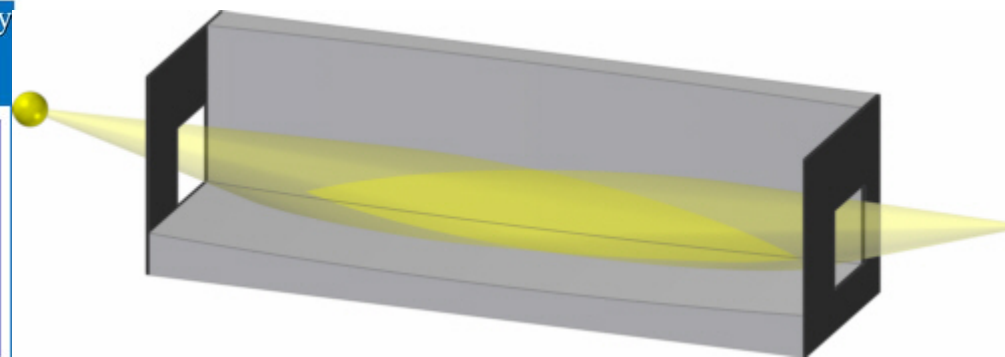
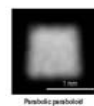
a) Perfect mirror (no slope error, no roughness  $\sigma = 0$ , no random variations in the lattice parameter  $\delta d/d = 0$ ); b) Slope error  $5 \mu\text{rad}$ ,  $\sigma = 0.2 \text{ nm}$ ,  $\delta d/d = 7 \cdot 10^{-4}$ ; c) Slope error  $10 \mu\text{rad}$ ,  $\sigma = 0.2 \text{ nm}$ ,  $\delta d/d = 7 \cdot 10^{-4}$ ; d) Slope error  $15 \mu\text{rad}$ ,  $\sigma = 0.2 \text{ nm}$ ,  $\delta d/d = 7 \cdot 10^{-4}$ . Dark diagonal line is the missing intensity due to the corner gap ( $2 \mu\text{m}$ ).

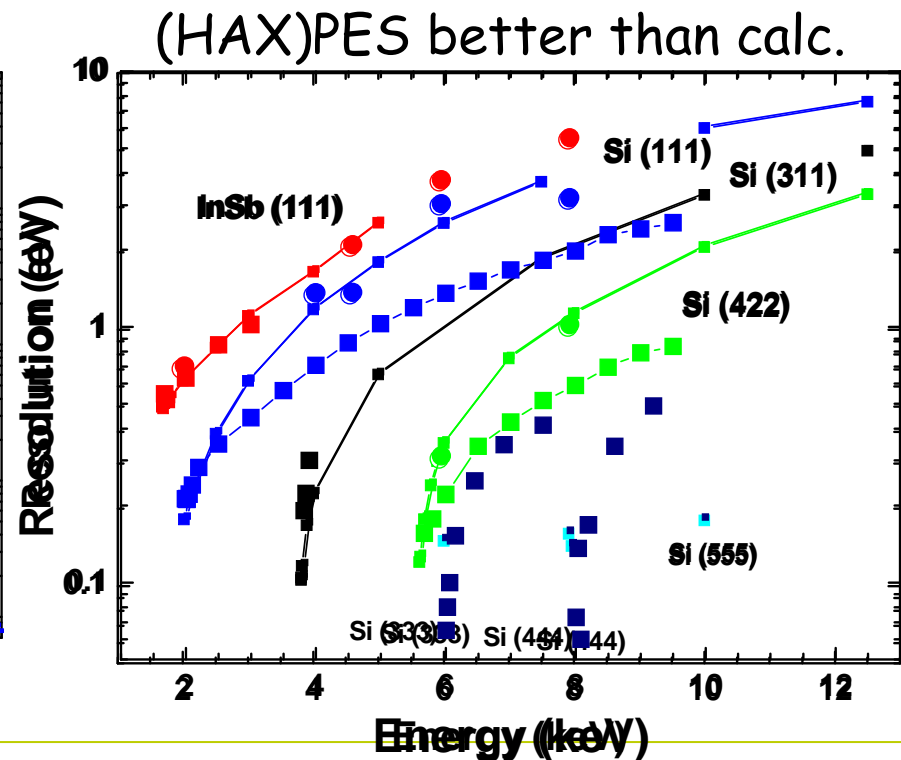
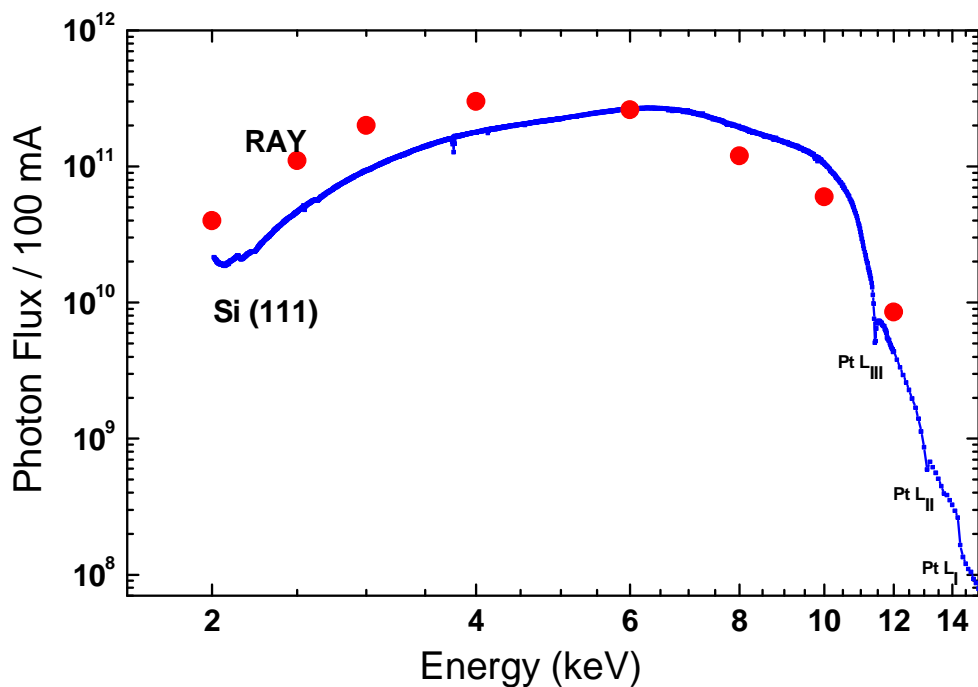
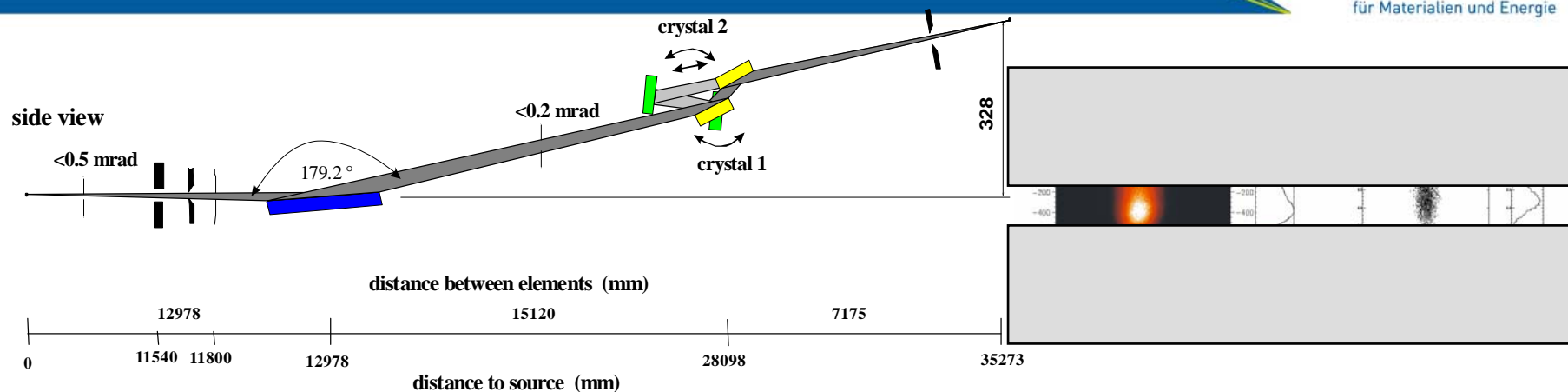
Table 1: Divergence and intensity for different slope errors for the parabolic L-shaped laterally graded multilayer mirror (collimating optics). Source size ( $5 \times 5 \mu\text{m}^2$ ) and acceptance ( $5 \times 5 \text{ mrad}^2$ ) are fixed. Such results were obtained from the ray tracing simulations shown above.

Slope error ( $\mu\text{rad}$ )	Peak intensity (1/s)	Divergence ( $\mu\text{rad}$ )
0	0.725	19
5	0.417	37
10	0.417	57
15	0.417	77

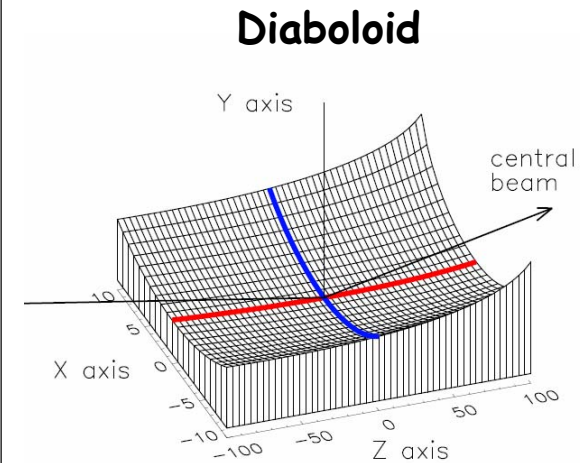
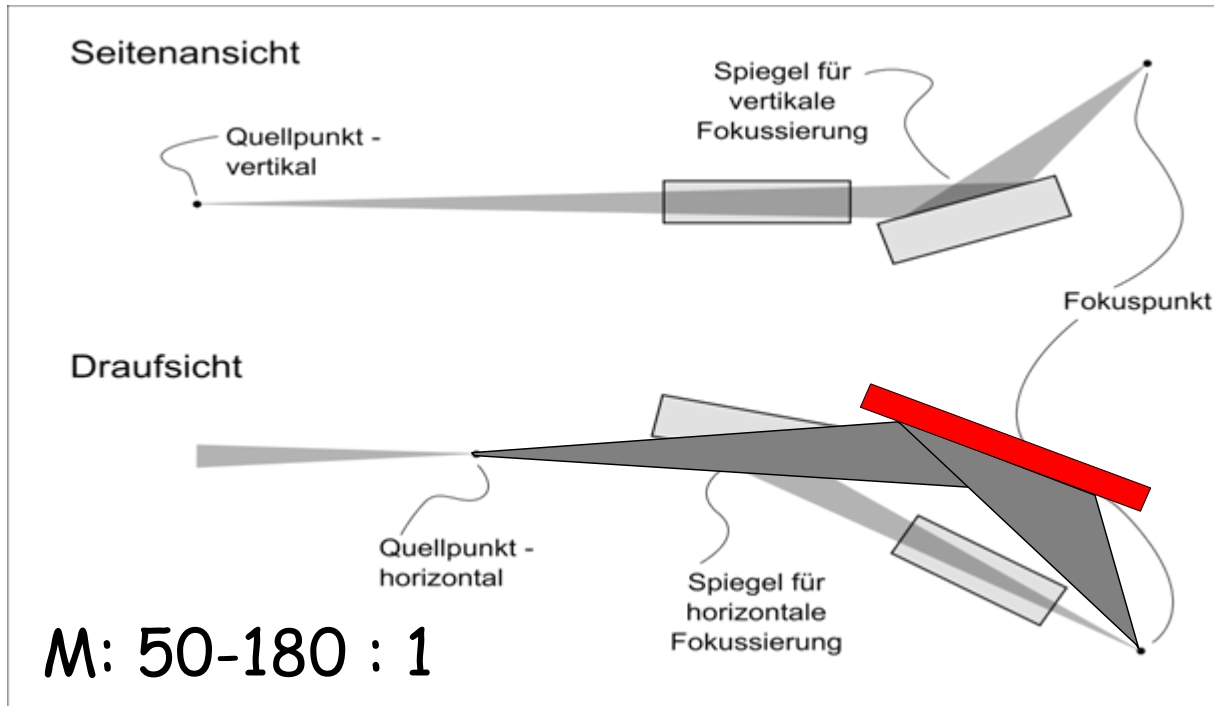
#### Parabolic ellipsoid and parabolic paraboloid

Ray tracing parabolic paraboloid using SHADOW  
Slope error  $10 \mu\text{rad}$ ,  $\sigma = 0.2 \text{ nm}$ . Divergence:  $200 \mu\text{rad} \times 30 \mu\text{rad}$ . In-house ray tracing for laterally graded multilayer and also for parabolic ellipsoid in progress.





## Stigmatic Imaging of an astigmatic source (Convert toroidal to spherical wavefront)



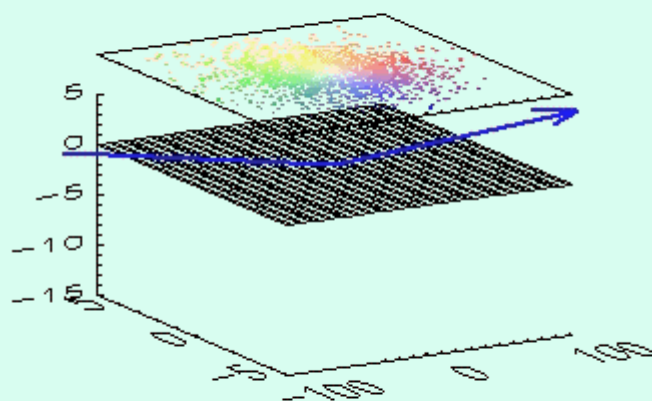
$$F(x, y, z) = 0 = a_{11}x^2 + a_{22}y^2 + a_{33}z^2 + 2a_{23}yz + 2a_{24}y + 2a_{34}z + a_{44} + \textcircled{+ b_{13}x^2z}$$

**focussing properties:  
IDL-Animation**  
(Thomas Zeschke, BESSY)

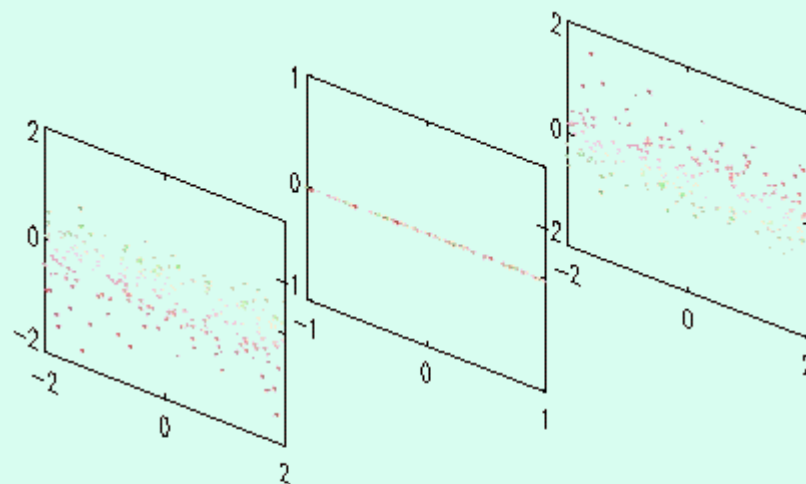


## Diaboloid Surface Searching

— central beam

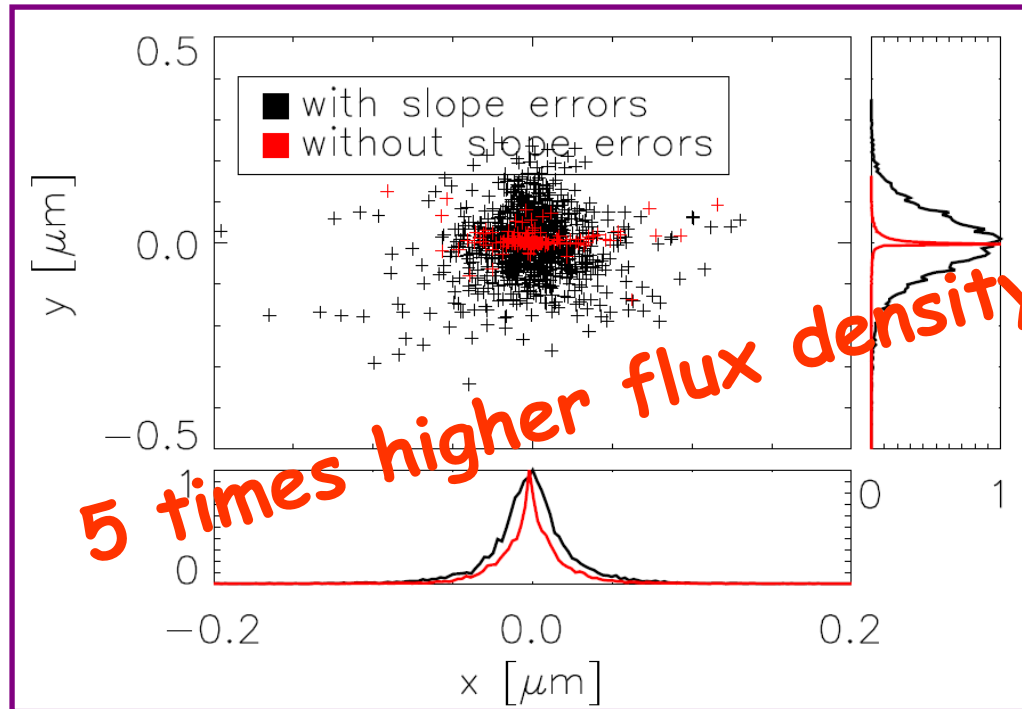
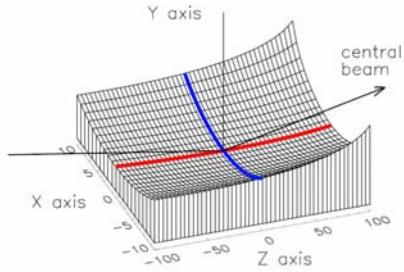


footprint of rays and surface deviations [ $\mu\text{m}$ ]  
with respect to an initial ellipsoid  
surface size 200 mm x 10 mm



3% of all rays  
in the image plane

3 image planes, scale [ $\mu\text{m} \times \mu\text{m}$ ]  
distances to middle plane  $\pm 50 \mu\text{m}$



slope error ( $\sigma$ )     $0.5 \mu\text{m} \times 0.2 \mu\text{rad}$   
spot size (fwhm)  $0.037 \mu\text{m} \times 0.162 \mu\text{m}$

$$F(x, y, z) = 0 = a_{11}x^2 + a_{22}y^2 + a_{33}z^2 + 2a_{23}yz + 2a_{24}y + 2a_{34}z + a_{44} + \textcircled{+ b_{13}x^2z}$$

**Path length**

$$pl = \sqrt{((x - x_{old})^2 + (y - y_{old})^2 + (z - z_{old})^2)} - zq$$

**Phase**

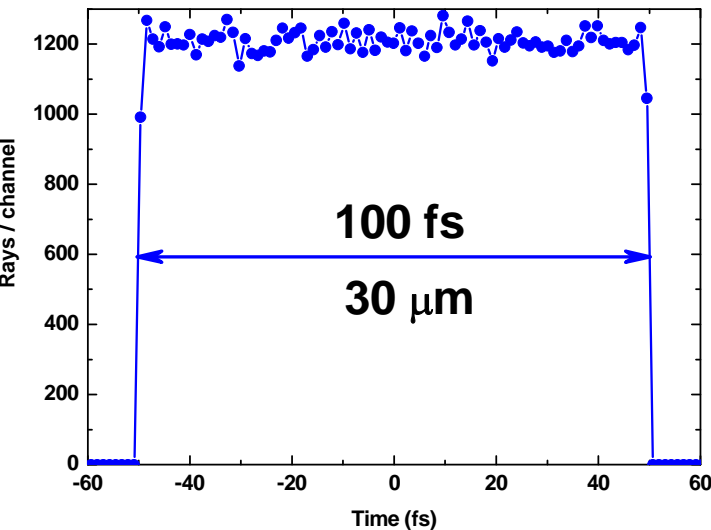
$$\varphi = \frac{2\pi}{\lambda} pl$$

**Travel time**

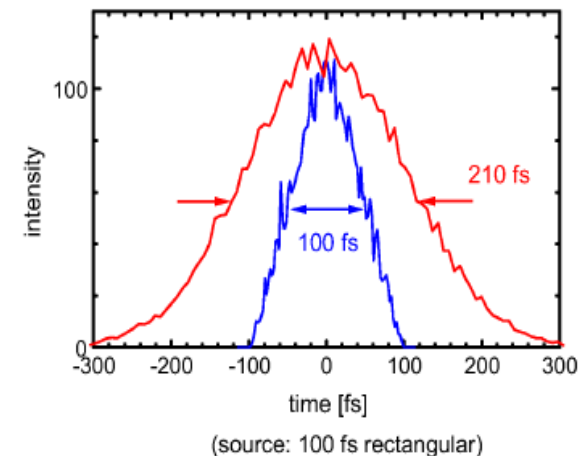
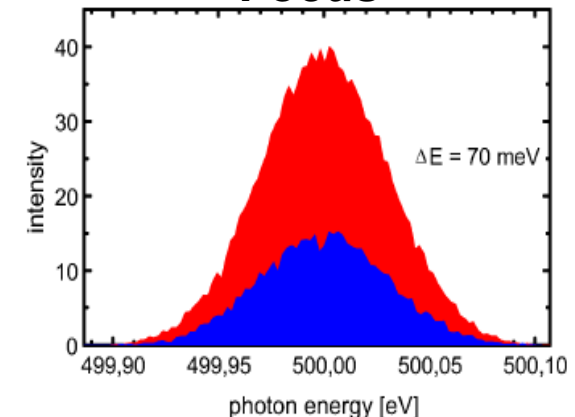
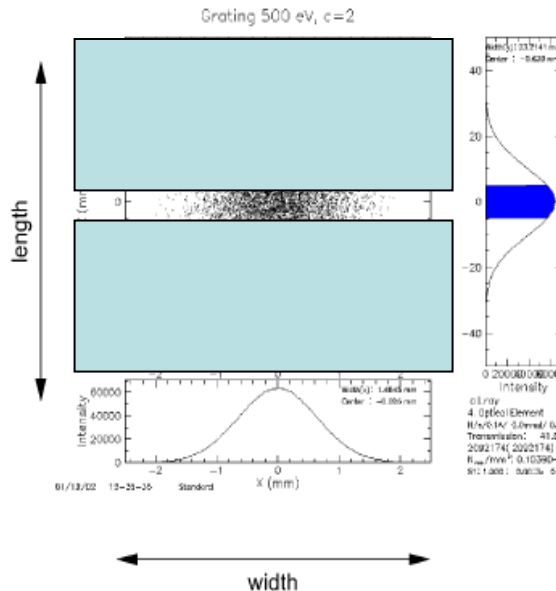
$$t = \frac{pl}{c}$$

**Focus**

**Source**



**Grating**



**Confining illuminated grating length:  
pulse length unchanged**

Path length

$$pl = \sqrt{((x - x_{old})^2 + (y - y_{old})^2 + (z - z_{old})^2)} - zq$$

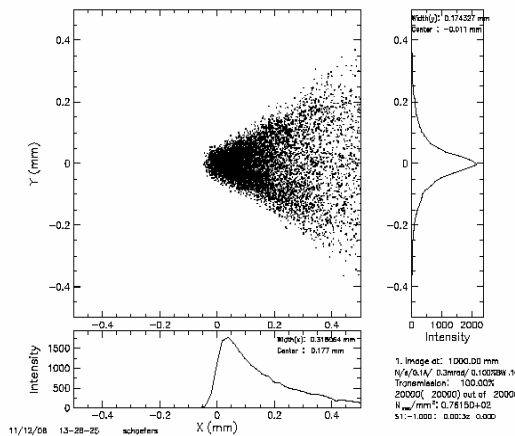
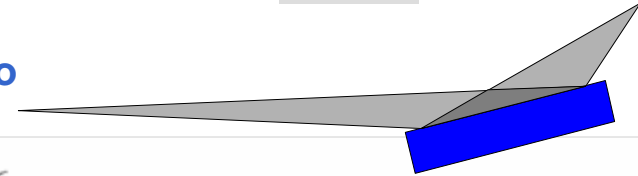
Phase

$$\varphi = \frac{2\pi}{\lambda} pl$$

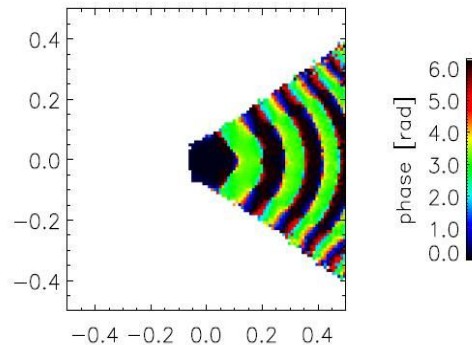
Travel time

$$t = \frac{pl}{c}$$

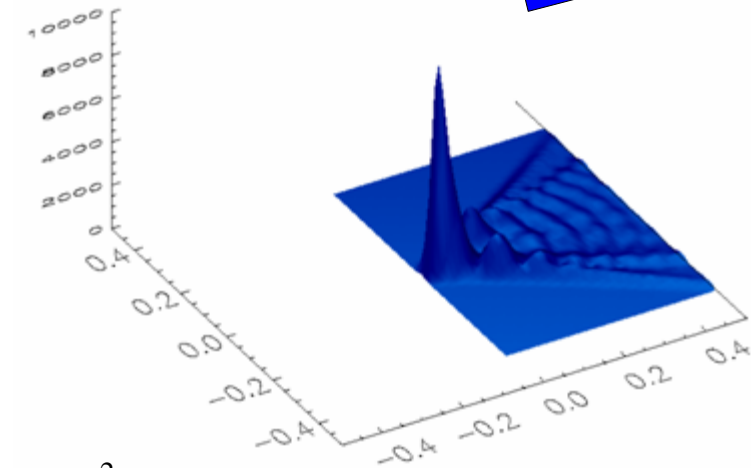
Coherent illumination of toroid, 10:1,  $\theta=2.5^\circ$



Geometric  
Intensity



Phase



$$I = \left| \sum_j e^{i\varphi_j} \right|^2$$

=

Interference

- Similar to "real" wavefront codes: PHASE, SRW
  - Phasespace, time, energy, polarisation:
- ➡ Identify sections of equal phase: Coherence



IMD (D. Windt)

CXRO webpage (E. Gullickson)

...



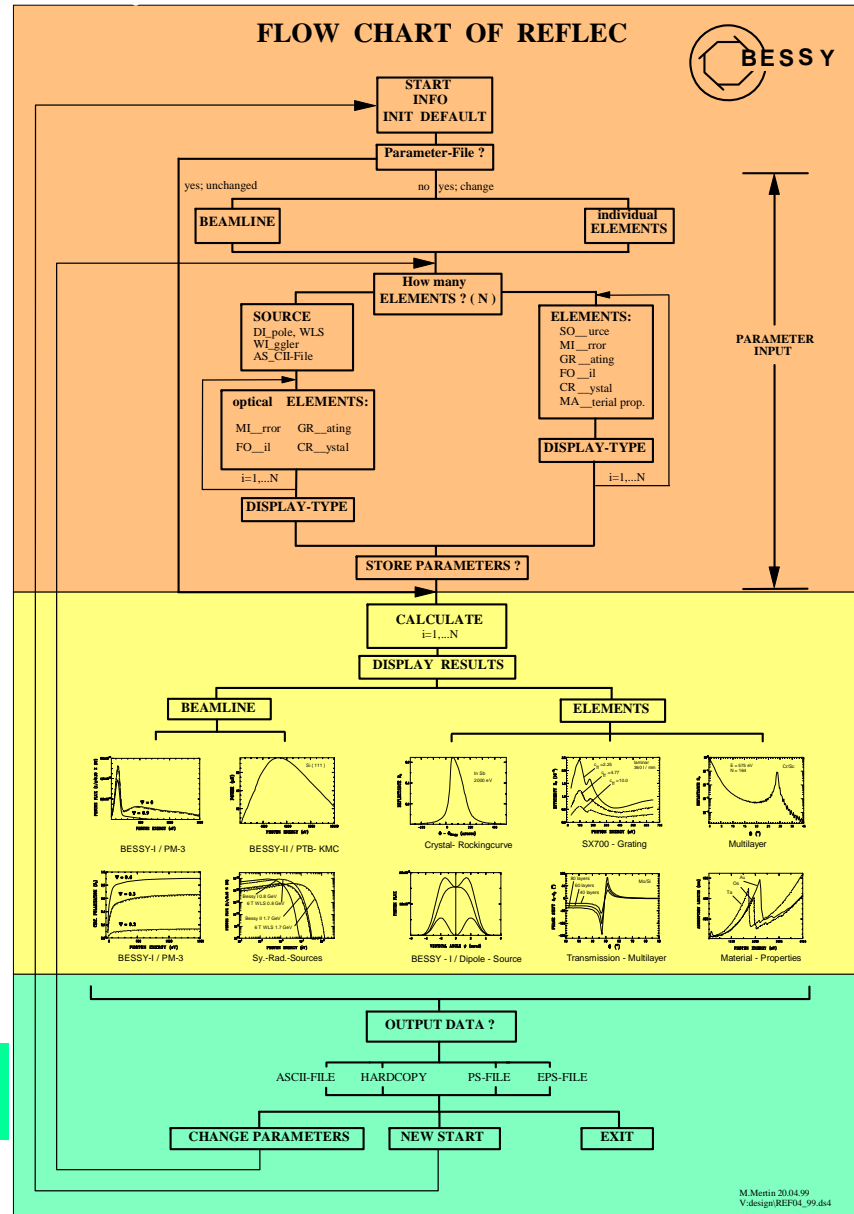
# REFLEC - everything but geometry

## SR Sources - Fresnel Optics - Stokes Formalism

Parameter input

Calculation

Graphics output



**Beamlines or Elements (<10)**

- SR-Sources
- Mirrors
- Gratings
- Foils
- Crystals
- Windows
- Multilayers

**Beamlines, sources:**

- Photon flux
- Resolution
- Angular distribution

**Elements:**

- Reflectivity  $R_{s,p}$
- Efficiency  $E_{s,p}$
- Rocking curves
- Polarisation prop.
- Phase retardance
- Optical constants
- Absorption prop.

... as fct. of angle, energy

- The program has NO intelligence - even after 25 years of programming
- The program will NOT give any ideas for the kind of beamline you want to have
- Nor does it have any idea of good experiments at a beamline
- The program performs only what was programmed -  
The results are valid only within the mathematical or physical model implemented
- The program may still have errors (it has - definitely!!)
- The designer may have made typing errors in the input menu
- The designer may have misunderstand the program's language or a result

**YOU ARE THE EXPERT - NOT RAY !!!**

## Programming

**Josef Feldhaus** (Start)  
**Michael Krumrey** (CR)  
**K.J.S. Sawhney** (EPU)  
**Dirk Abramsohn** (PC)  
**Shahin Sahraei** (RZP)

## Special features implementation

**Alexei Erko** (micro-, nano stuff)  
**Rolf Follath** (time)  
**Gerd Reichardt** (GR)  
**Fred Senf** (CO)  
**Thomas Zeschke** (IDL, Diab., Phase)

## Users

**BESSY optics group**  
**Worldwide usage**

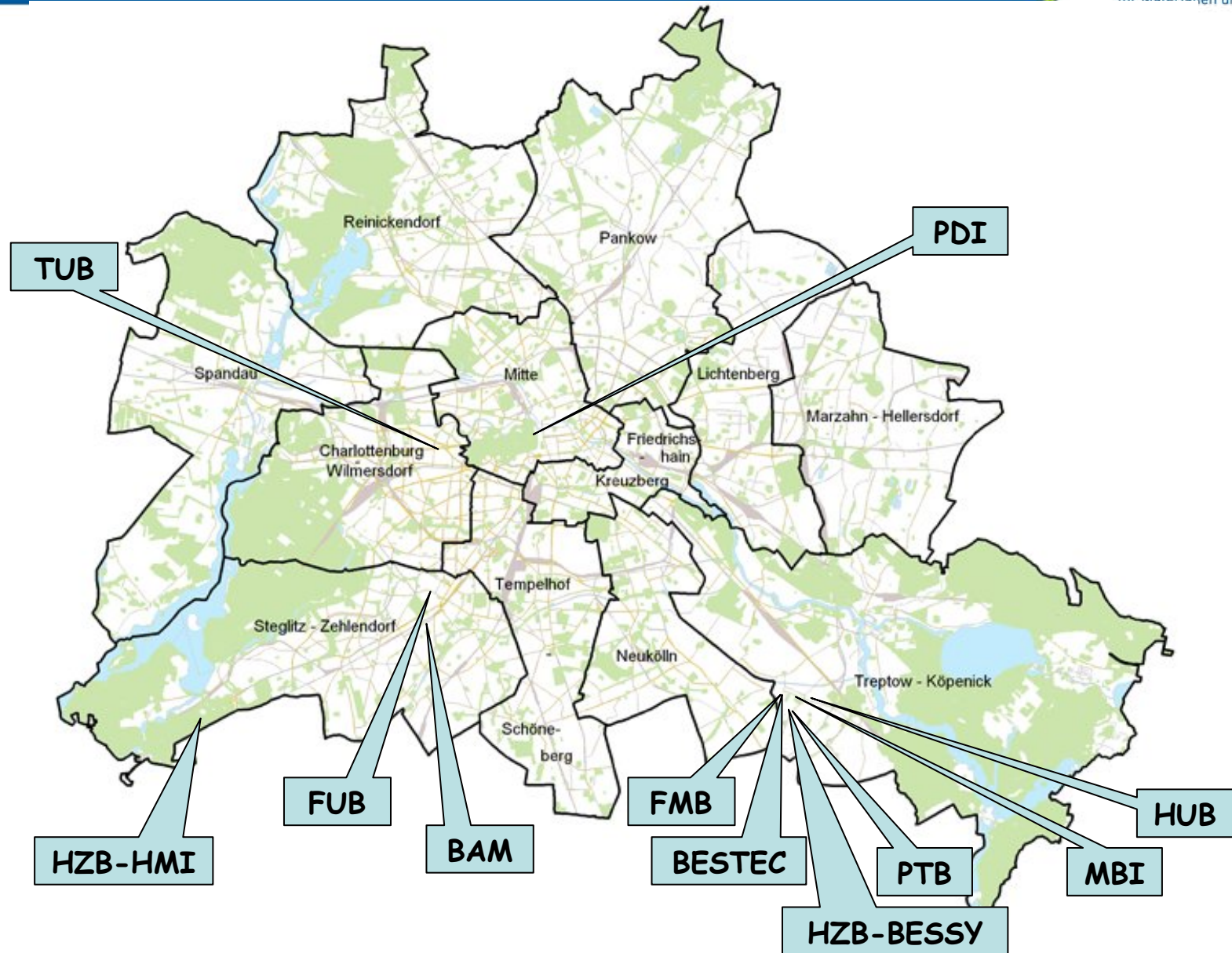
## Advertisement

**William Peatman**  
("Gratings, Mirrors and Slits")

**Alexei Erko,  
Mourad Idir et al.(ed.)**  
("Modern Developments...")

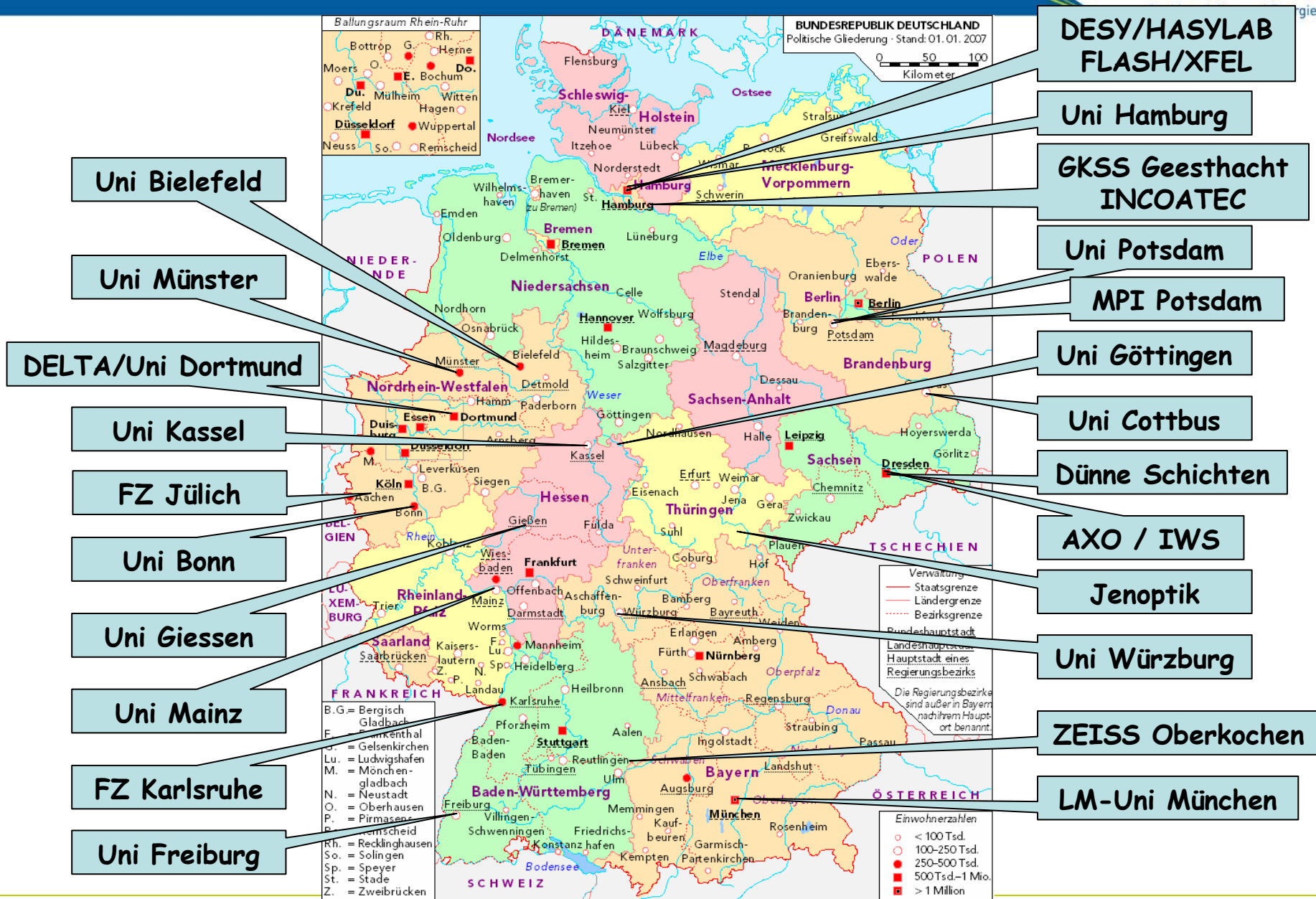


# RAY users in Berlin

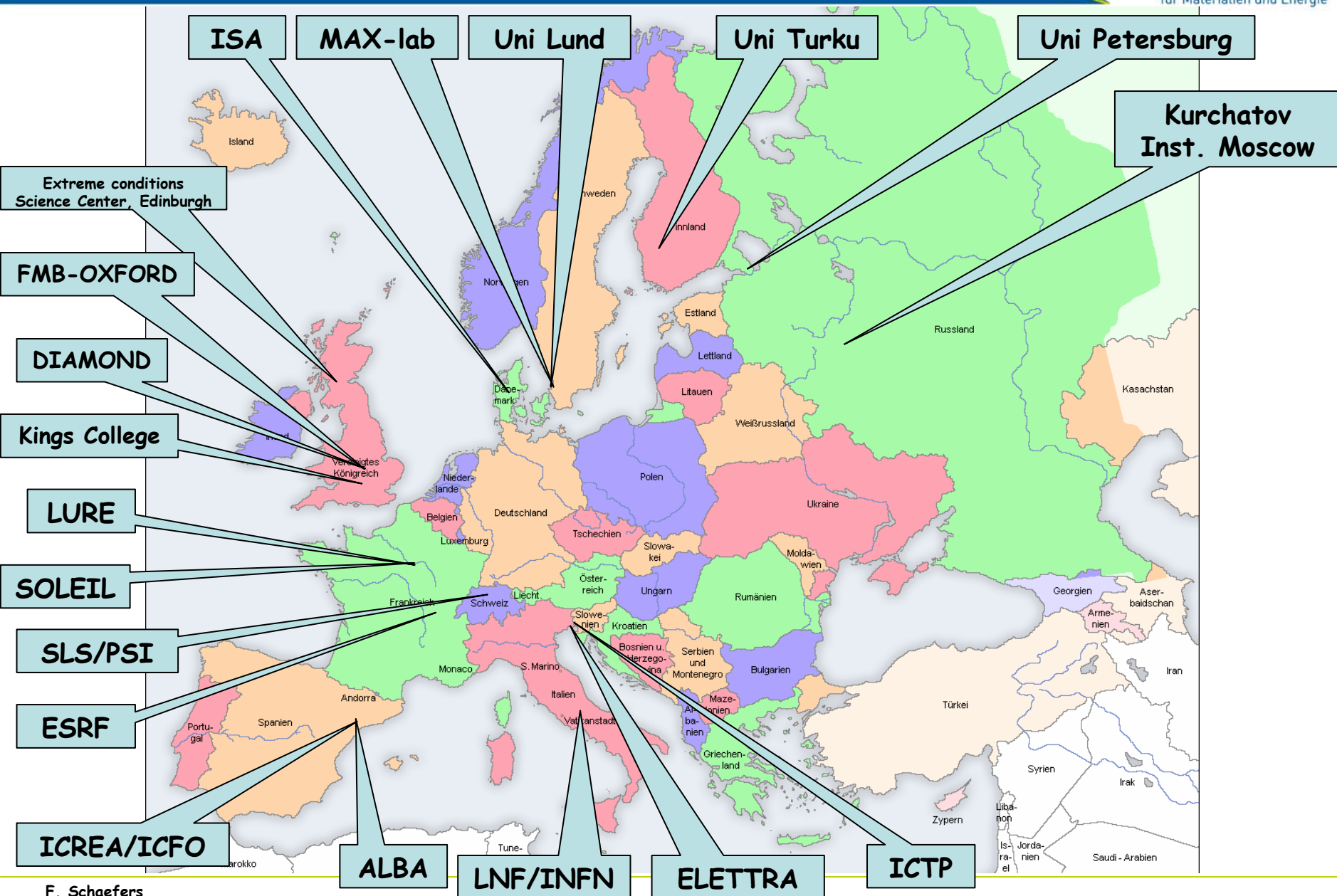




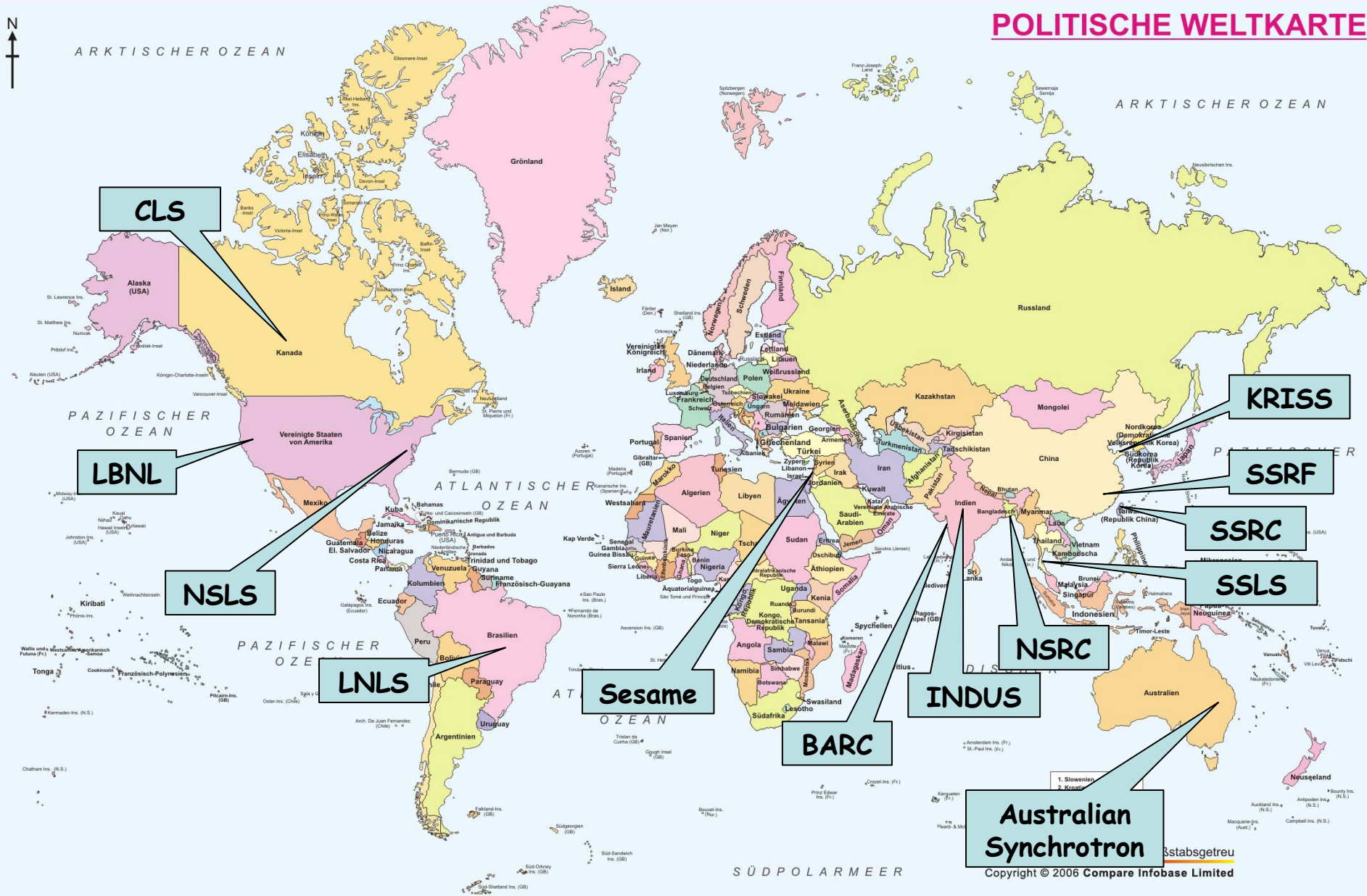
# RAY users in Germany



# RAY users in Europe









**Ich habe fertig!**

- Illumination of a screen at 10 m behind a divergent source
- Vertical intensity distribution of Synchrotron radiation
- Illumination of a grazing incidence mirror
- Focussing/demagnification of a point source by different mirror types (CY, SP, TO, EL)
- Effect of mirror slope errors on focussing
- Effect of misalignment of optics on focussing
- Wavelength response of a Mo/Si multilayer mirror
- Energy-resolution of a plane grating monochromator
- Crystal DCM throughput
- Heatload on optics

see W.B. Peatman, *Gratings, Mirrors and Slits*, Gordon & Breach, NY 1997